Introduction to High-Resolution Atmospheric Modeling

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High resolution?

Some history

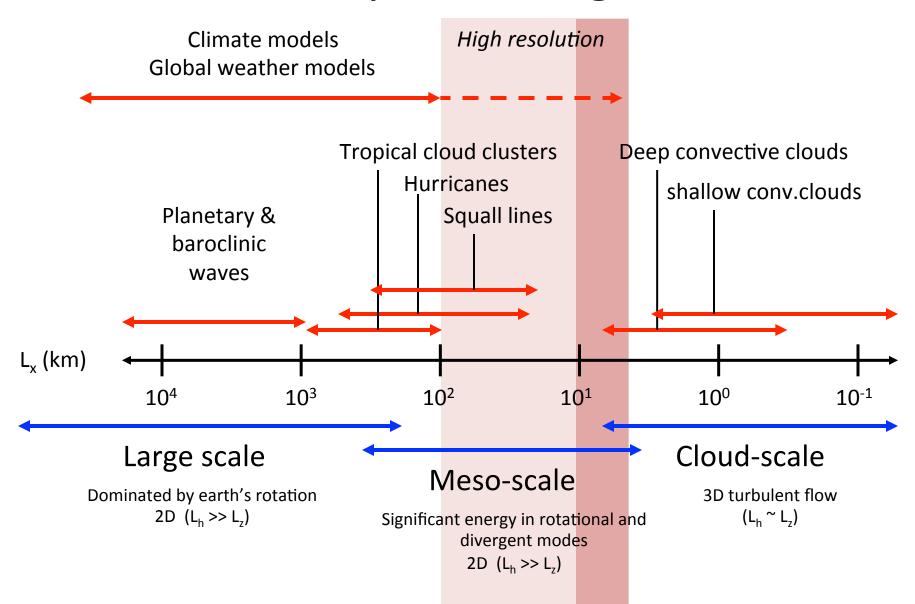
Convection *resolving* or convection *permitting*?

Squall-lines and supercells

Global model forecast testing



Model/Dynamic Regimes



High resolution: Explicit clouds, nonhydrostatic dynamics

Clouds are ubiquitous

Deep convective clouds are responsible for a significant amount of severe weather (high winds, hail, flooding, lightning, etc.)

The largest uncertainties in atmospheric weather and climate models involve clouds.

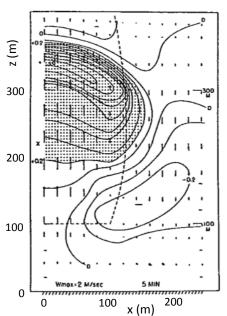






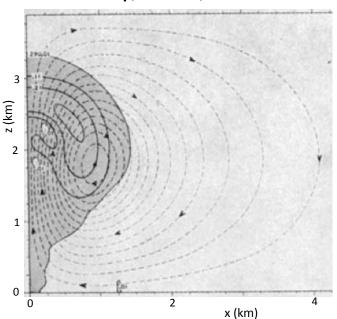
Some history... Early 2-D Nonhydrostatic Dry Thermal Simulations



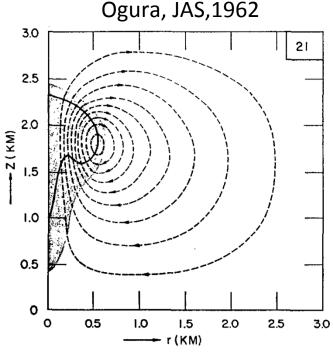


(32x32), dx = 20 m, 5 min Incompressible, Boussinesq

Lilly, Tellus, 1962

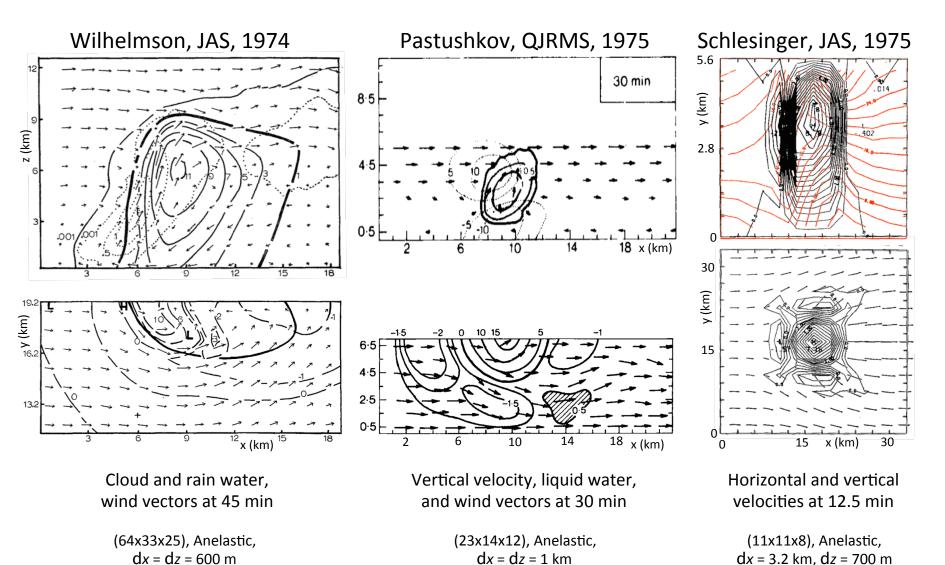


(94x31), dx = 125 m, 20 min Compressible, explicit



(31x31), dr = 100 m, 21 min Incompressible, Boussinesq

More history... 1970s - Early 3-D Cloud Models



More history... Integration of the Nonhydrostatic Equations

Time-step constraints for explicit numerical integration:

Acoustic modes:
$$\Delta t \leq \frac{\Delta x}{c_s}, \, \frac{\Delta z}{c_s}$$
 Gravity waves: $\Delta t \leq N^{-1}$

Gravity waves:
$$\Delta t < N^{-1}$$

Advection:
$$\Delta t \leq \frac{\Delta x}{U}, \quad \frac{\Delta z}{W}$$

Dilemma: Acoustic modes are not of meteorological interest, but may severely constrain explicit time steps.

Techniques to Gain Numerical Efficiency in Nonhydrostatic Integrations

Semi-implicit integration of acoustic/gravity wave modes

$$\frac{\partial \mathbf{v}}{\partial t} + c_p \theta \overline{\mathbf{\nabla}} \overline{\pi'}^t = F_{\mathbf{v}}$$
$$\frac{\partial \pi'}{\partial t} + \frac{c^2}{c_p \rho \theta^2} \overline{\mathbf{\nabla}} (\rho \theta \mathbf{v})^t = F_{\pi}$$

(Tapp & White (1976), Tanguay et al, MC2, MetUM, LM, GRAPES)

Split explicit, vertically implicit, integration

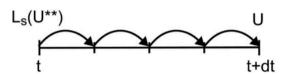
$$\frac{\partial \boldsymbol{v_h}}{\partial t} + c_p \theta \boldsymbol{\nabla} \pi'^{\tau} = F_{\boldsymbol{v}}^{t}$$

$$\frac{\partial w}{\partial t} + c_p \theta \overline{\frac{\partial \pi'}{\partial z}}^{\tau} = F_{w}^{t}$$

$$\frac{\partial w}{\partial t} + \frac{c^2}{c_p \rho \theta^2} \left\{ \boldsymbol{\nabla} (\rho \theta \boldsymbol{v_h})^{\tau + \Delta \tau} + \overline{\frac{\partial \rho \theta w}{\partial z}}^{\tau} \right\} = F_{\pi}^{t}$$

$$\frac{\operatorname{Ls}(\mathsf{U}^{**})}{\operatorname{Ls}(\mathsf{U}^{**})}$$

3rd order Runge-Kutta, 3 steps



(Klemp & Wilhelmson (1978), RAMS, ARPS, COMMAS, MM5, COAMPS, WRF, NICAM)

Techniques to Gain Numerical Efficiency in Nonhydrostatic Integrations

• Horizontally explicit, vertically implicit (HEVI) integration

$$\begin{split} \frac{\partial w}{\partial t} + c_p \theta \overline{\frac{\partial \pi'}{\partial z}}^\tau &= F_w^t \\ \frac{\partial \pi'}{\partial t} + \frac{c^2}{c_n \rho \theta^2} \overline{\frac{\partial \rho \theta w}{\partial z}}^\tau &= F_\pi^t \end{split} \tag{NMM, ICON, others)}$$

Quasi-compressibility approaches

$$\frac{\partial \pi'}{\partial t} + \frac{c_r^2}{c_p \rho \theta^2} \nabla (\rho \theta v) = 0, \qquad c_r < c \qquad \text{(Droegemeier & Wilhelmson (1985), Tripoli – NMS)}$$

Filtered equations to remove acoustic modes

$$\begin{array}{cccc} \boldsymbol{\nabla}\cdot\boldsymbol{v}=0 & \text{Boussinesq} \\ \boldsymbol{\nabla}\cdot(\bar{\rho}\boldsymbol{v})=0 & \text{Anelastic} & \text{(Schlesinger (1973), Clark,} \\ \boldsymbol{\nabla}\cdot(\bar{\rho}\bar{\boldsymbol{\theta}}\boldsymbol{v})=H & \text{Pseudo-incompressible} & \text{Durran, Arakawa and Konor)} \\ \frac{\partial\rho_{qs}}{\partial t}+\boldsymbol{\nabla}\cdot(\rho_{qs}\mathbf{V})=0 & \text{Sound-proof} \end{array}$$

About simulating those clouds...

Convection resolving or convection permitting?



Spatial scales of convection

Supercells:

		Characteristic	
		diameter (km)	
		a = avg	
		m = median	Max diameter
Reference	Type	s = single case	(km)
Browning et al. (1976)	in situ and radar	5 (a)	8
Brandes (1981)	radar	11 (s)	_
Nelson (1983)	radar	$\sim 10 \; (s)$	
Musil et al. (1986)	in situ	14 (s)	
Kubesh et al. (1988)	in situ and radar	$\sim 8 \text{ (s)}$	
Dowell and Bluestein (2002)	radar	8 (s)	_

Midlatitude continental (excluding supercells):

		Characteristic	
		diameter (km)	
		a = avg	
		m = median	Max diameter
Reference	Type	s = single case	(km)
Byers and Braham (1949)	in situ	~ 4	
Kyle et al. (1976)	in situ	$2.8 \; (m)$	4.6
Heymsfield and Hjelmfelt (1981)	in situ	4 (m)	6
Musil et al. (1991)	in situ	3 (a)	15
Yuter and Houze (1995)	radar	$\sim 3 \text{ (m)}$	8

Spatial scales of convection

Tropical cyclones:

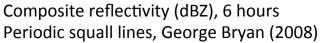
		Characteristic diameter (km)	
		a = avg $m = median$	Max diameter
Reference	Type	s = single case	(km)
Jorgensen et al. (1985) Black et al. (1996) Eastin et al. (2005) - rainbands Eastin et al. (2005) - eyewalls	in situ radar in situ in situ	1.2 (m) 1 (m) 1.5 (m) 2.0 (m)	7 9 3.0 4.0

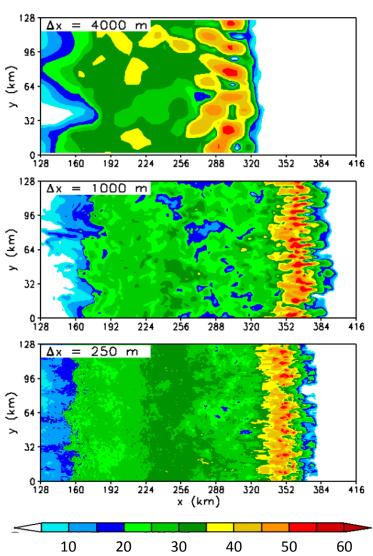
Tropical convection (mostly maritime) (excluding tropical cyclones):

		Characteristic	
		diameter (km)	
		a = avg	
		m = median	Max diameter
Reference	Type	s = single case	(km)
LeMone and Zipser (1980)	in situ	$0.9 \ (m)$	6
Warner and McNamara (1984)	in situ	1.4 (m)	15
Jorgensen and LeMone (1989)	in situ	< 1 (m)	8
Lucas et al. (1994)	in situ	$1.0 \; (m)$	4
Igau et al. (1999)	in situ	$0.8 \; (m)$	4
Anderson et al. (2005)	in situ	1 (m)	3

Large (> 2 km) updrafts are "exceedingly rare"

Results from idealized convective simulations





Line-averaged passive tracer
T = 6 hours
Periodic squall lines,
Bryan and Morrison (2008)

0.8

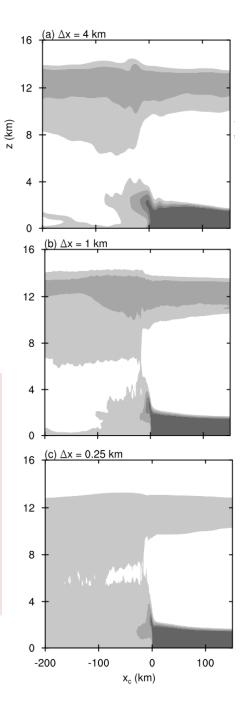
0.6

0.4

What do the simulations tell us?

At dx O(km):

- (1) Cells are not resolved.
- (2) Not enough low and mid-level detrainment.
- (3) Too much upper-level detrainment.



Rain-Rate at the Surface

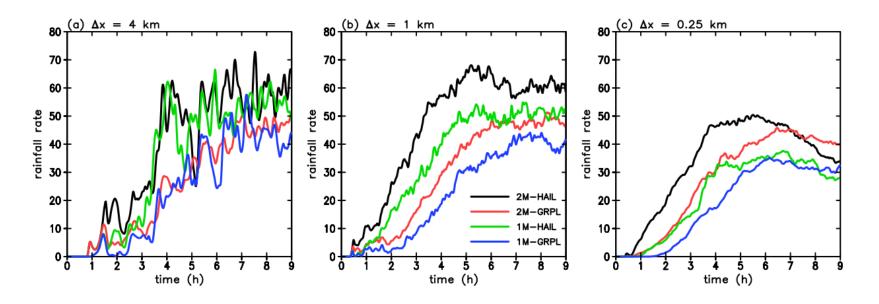
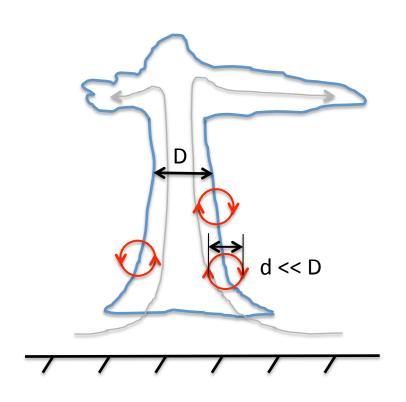


FIG. 4. Time-series of domain-total rainfall rate ($\times 10^6$ kg s⁻¹) for (a) $\Delta x = 4$ km, (b) $\Delta x = 1$ km, and (c) $\Delta x = 0.25$ km. The different microphysical setups are in different colors, as indicated by the legend.

Resolving Atmospheric Convection



Updraft diameter: D

D: Severe convection - 5-8 km
Typical midlatitude cells - 2-4 km
Tropical cells - 1-2 km
Shallow convection - 0.1-1 km

Eddies responsible for entrainment/detrainment: diameter d << D

Mesh spacing needed to resolve turbulent eddies: h << d, D

Resolutions needed to resolve deep convection: $h \sim O(100 \text{ m})$ Resolutions needed to resolve shallow convection: $h \sim O(10 \text{ m})$

About simulating those clouds...

Convection resolving or convection permitting?

All of our production applications (climate, NWP) are convection permitting.

We are *parameterizing* convective clouds with large laminar plumes.



What are we asking our models to do in convection-permitting mode?

Unstable convection





Cloud systems: squall lines, cloud clusters, etc.

Large individual storms: Supercell thunderstorms

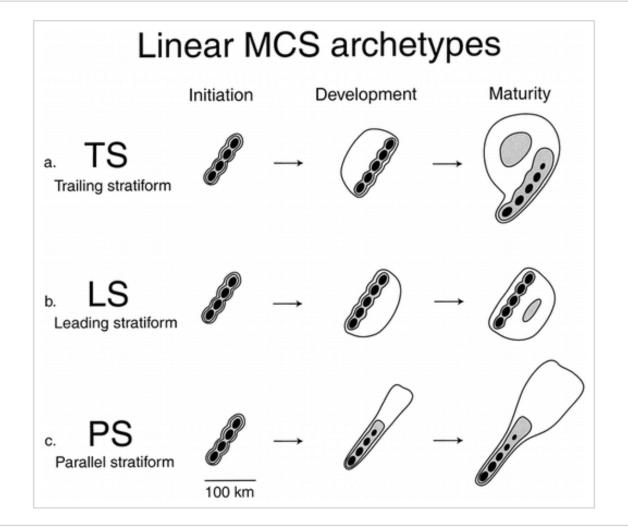
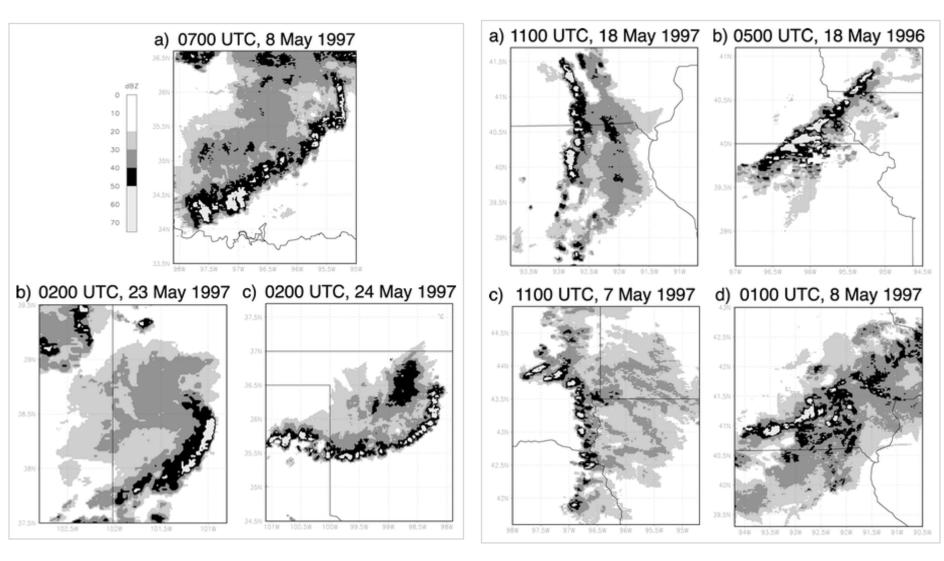


Fig. 4. Schematic reflectivity drawing of idealized life cycles for three linear MCS archetypes: (a) TS, (b) LS, and (c) PS. Approximate time intervals between phases: for TS 3-4 h; for LS 2-3 h; for PS 2-3 h. Levels of shading roughly correspond to 20, 40, and 50 dBZ.

Trailing stratiform squall lines

Leading stratiform squall lines

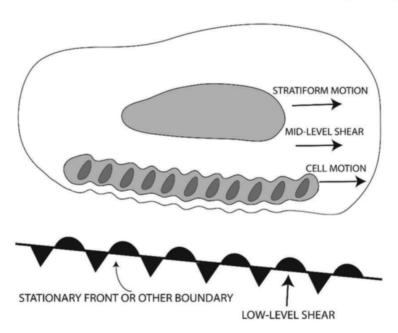


Parker and Johnson, MWR, 2000

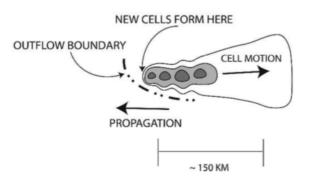
Schumacher and Johnson, MWR, 2005 Extreme-Rain-Producing Mesoscale Convective Systems

Fig. 3. Schematic diagram of the radar-observed features of the (a) TL/AS and (b) BB patterns of extreme-rain-producing MCSs. Contours (and shading) represent approximate radar reflectivity values of 20, 40, and 50 dBZ. In (a), the low-level and midlevel shear arrows refer to the shear in the surface-to-925-hPa and 925–500-hPa layers, respectively, as discussed in section 4. The dash-dot line in (b) represents an outflow boundary; such boundaries were observed in many of the BB MCS cases. The length scale at the bottom is approximate and can vary substantially, especially for BB systems, depending on the number of mature convective cells present at a given time.

A) TRAINING LINE -- ADJOINING STRATIFORM (TL/AS)



B) BACKBUILDING / QUASI-STATIONARY (BB)



Supercells: 219 papers with "supercell" in title or abstract in AMS journal search.

Many and perhaps most have a modeling component.

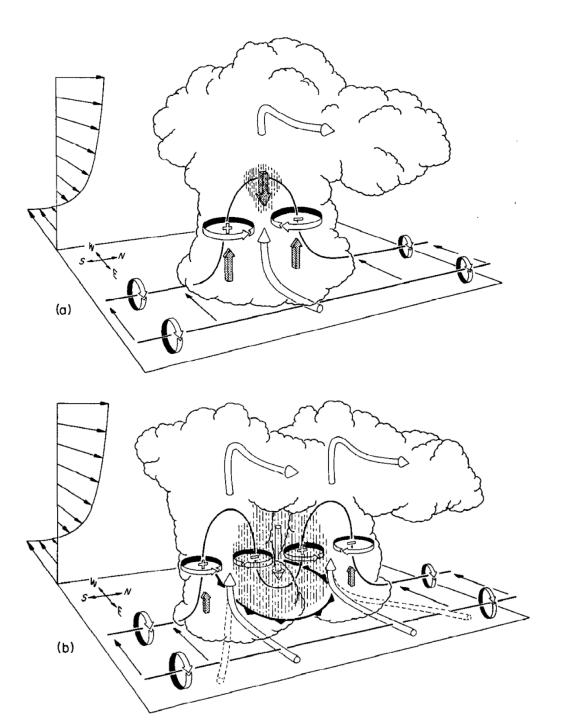
Idealized supercell simulations starting in the early 1970s.



LP supercell, courtesy Roger Hill



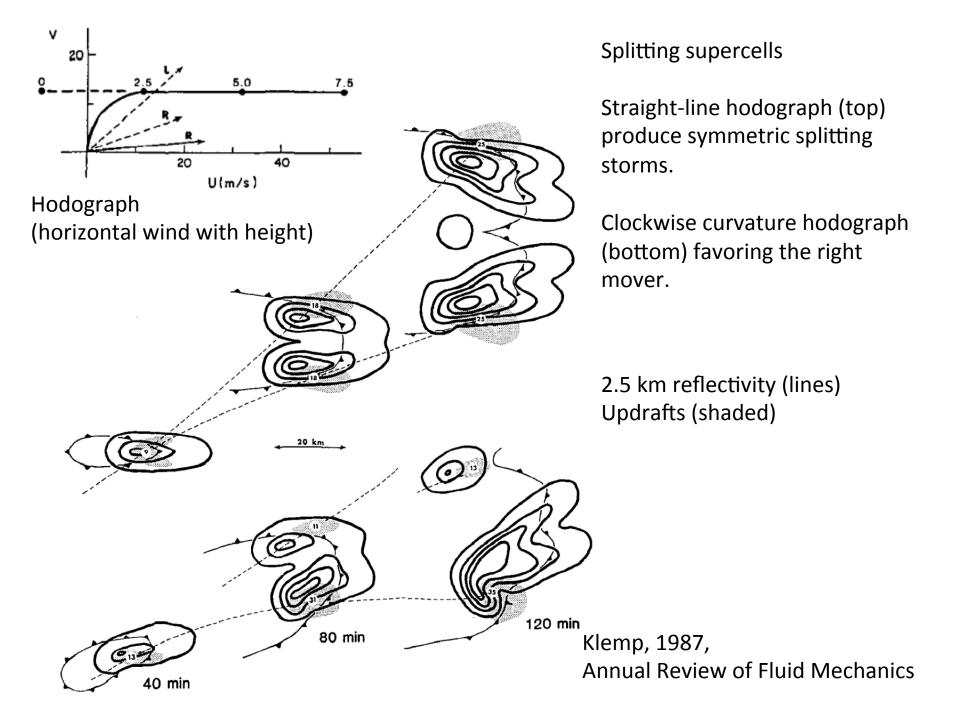
Supercell thunderstorm, courtesy Lou Wicker



Splitting supercell

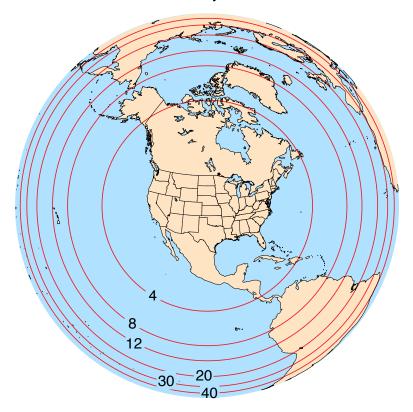
The initial rain core is what drives the splitting.
Horizontal vorticity and its tilting is integral to splitting process and subsequent evolution of the storms.

Klemp, 1987, Annual Review of Fluid Mechanics



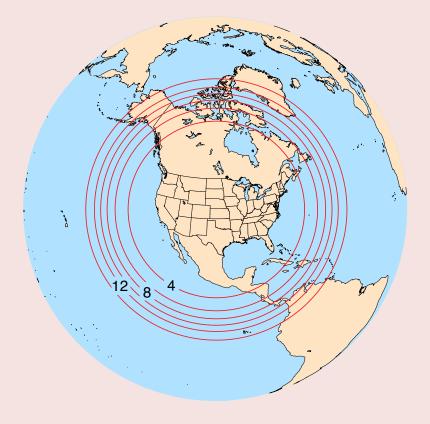


HWT Spring Experiment 5-day forecasts, 50 – 3 km mesh 1-31 May 2015



3-50 km mesh, Δx contours 4, 8, 12, 20, 30, 40 approximately 6.85 million cells 68% have < 4 km spacing

(1) PECAN field campaign
3-day forecasts
7 June – 15 July 2015
(2) HWT Spring Experiment
1-31 May 2016, 5-day forecasts



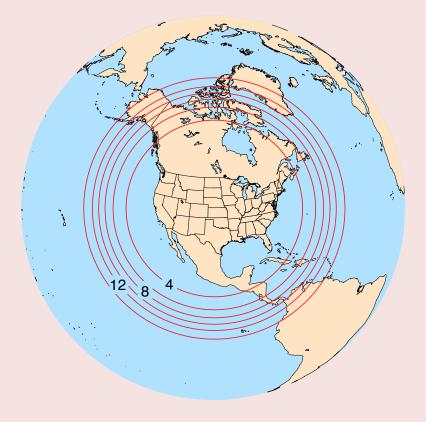
3-15 km mesh, Δx contours approximately 6.5 million cells 50% have < 4 km spacing



MPAS Physics:

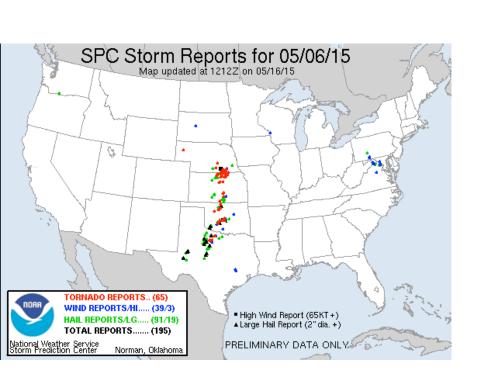
- WSM6 cloud microphysics (2015) (Thompson microphysics 2016)
- Grell-Freitas convection scheme (scale-aware)
- Monin-Obukhov surface layer
- MYNN PBL
- Noah land-surface
- RRTMG lw and sw.

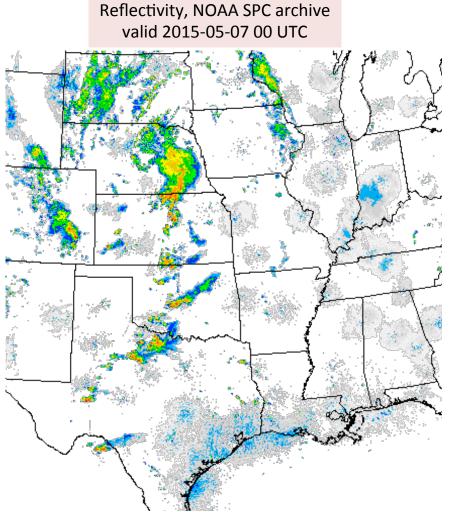
(1) PECAN field campaign
3-day forecasts
7 June – 15 July 2015
(2) HWT Spring Experiment
1-31 May 2016, 5-day forecasts



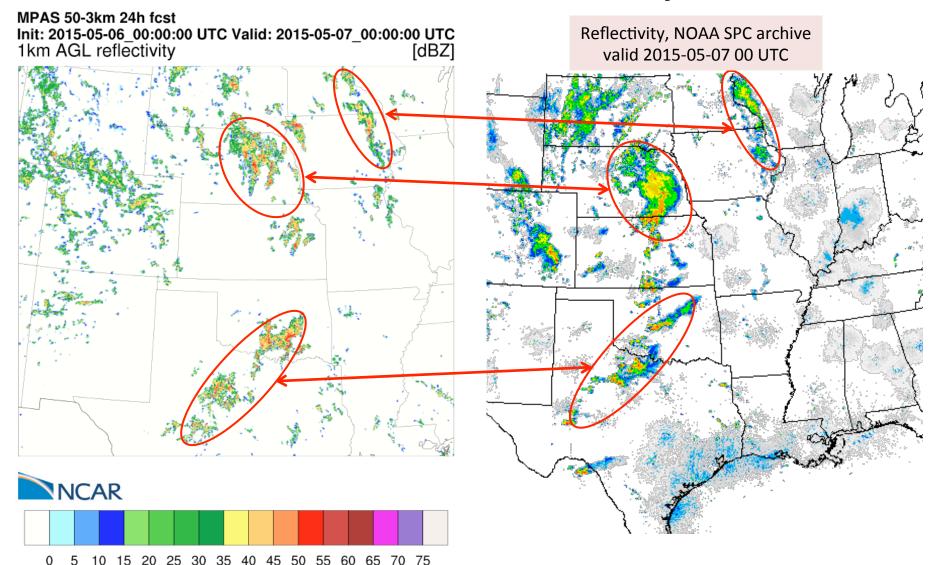
3-15 km mesh, Δx contours approximately 6.5 million cells 50% have < 4 km spacing











for Prediction Across Scales

MPAS 50-3km 36h fcst Init: 2015-05-06 00:00:00 UTC Valid: 2015-05-07 12:00:00 UTC



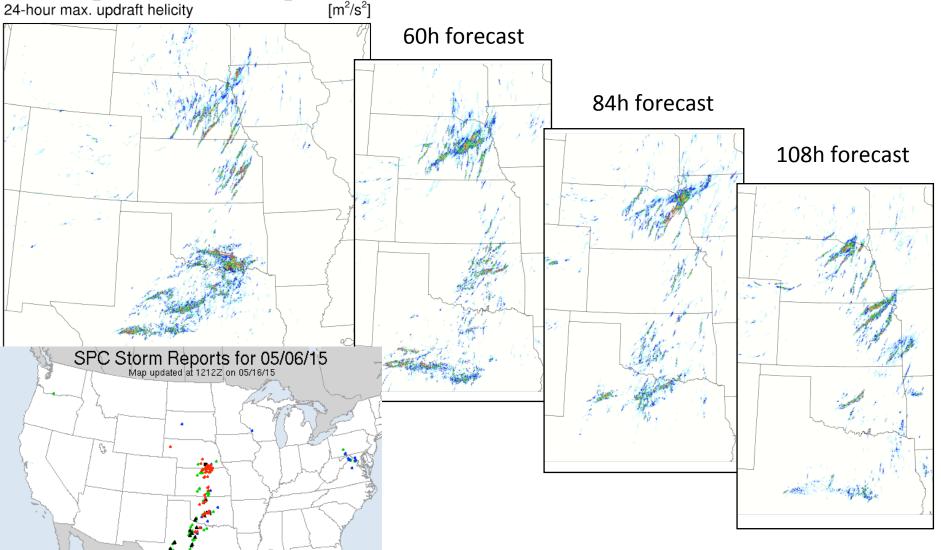
Helicity =
$$V \cdot \zeta_{rel}$$

$$\begin{aligned} \text{Updraft helicity} &= w \cdot \zeta_{rel} \\ &= w \times \text{vertical relative vorticity} \end{aligned}$$



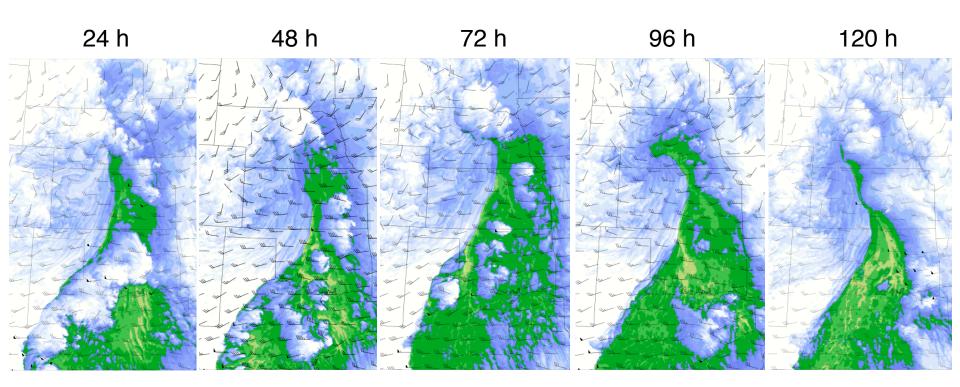
MPAS 50-3km 36h fcst
Init: 2015-05-06_00:00:00 UTC Valid: 2015-05-07_12:00:00 UTC
24-bour may undraft beligity

[m²/e²]

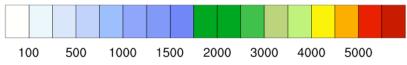




Forecasts valid 2015-05-7 00 UTC

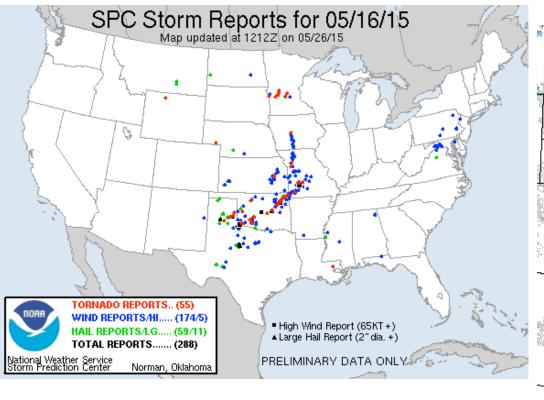


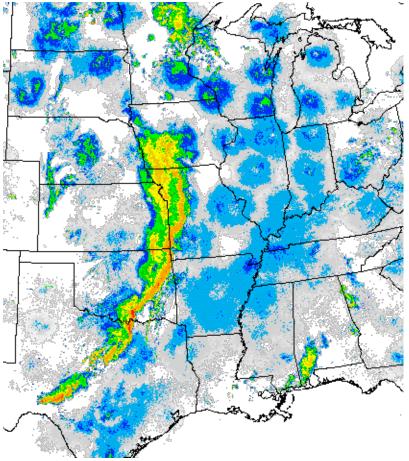






Reflectivity, NOAA SPC archive valid 2015-05-17 06 UTC



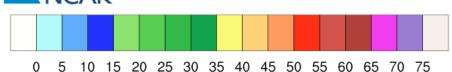




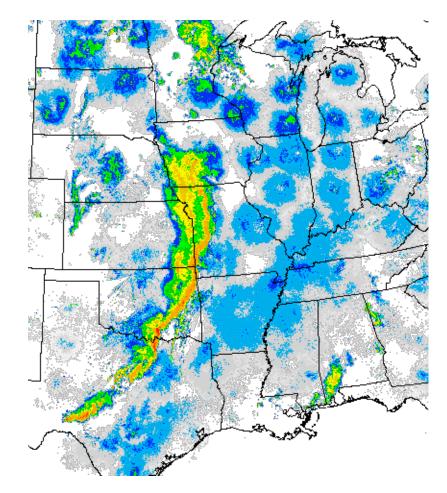
MPAS 50-3km 30h fcst Init: 2015-05-16_00:00:00 UTC Valid: 2015-05-17_06:00:00 UTC 1km AGL reflectivity [dBZ]



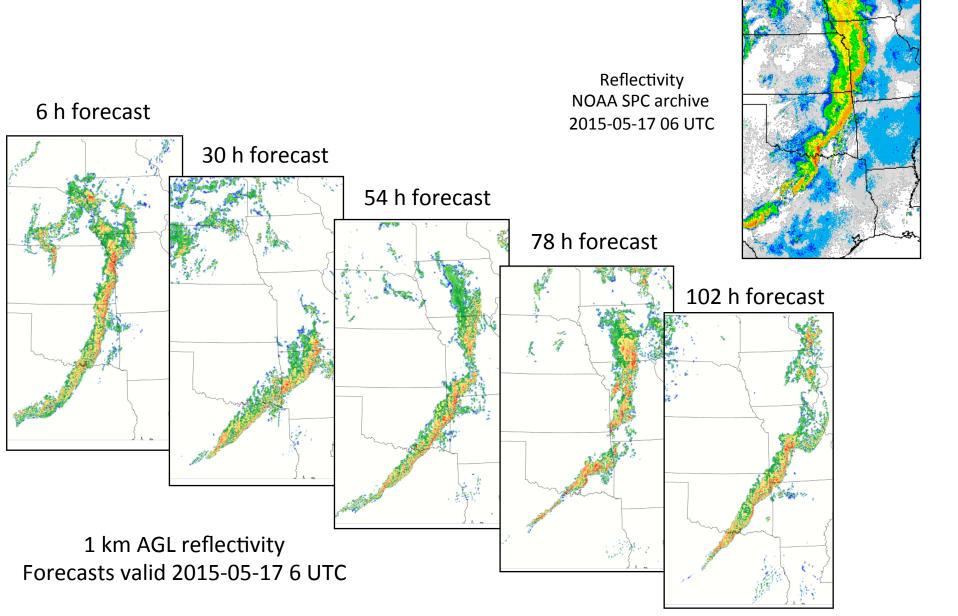
NCAR



Reflectivity, NOAA SPC archive valid 2015-05-17 06 UTC



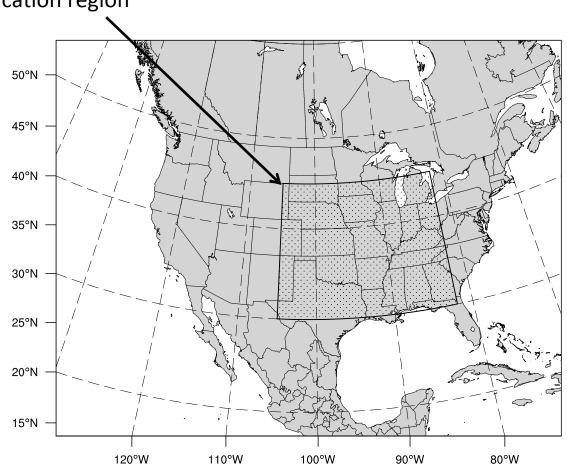






Hazardous Weather Testbed Spring Experiment 2015 Verification against ST4 precipitation analyses



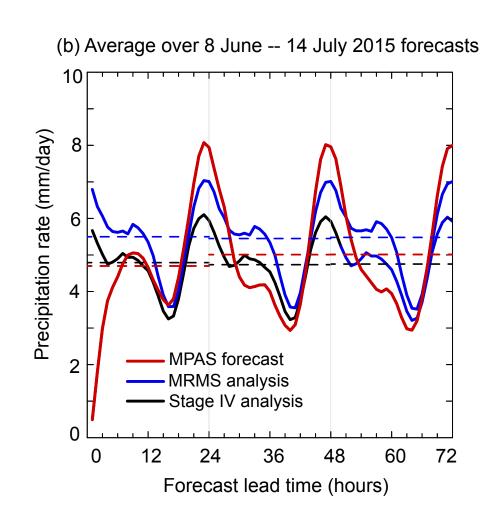




Verification against ST4 and MRMS analyses

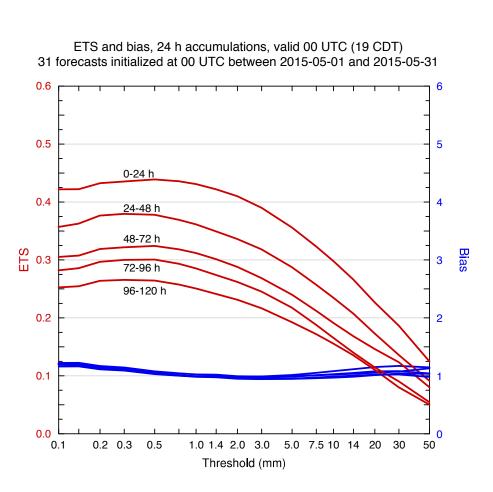
- Timing of diurnal precipitation maxima and minima is very good.
- Significant over-estimation of diurnal precipitation maxima.
- Significant underestimation of diurnal precipitation minima.
- Over (under) estimation does not improve over time.

 Daily average precipitation (dashed lines) shows a small positive bias early, decreasing over time.



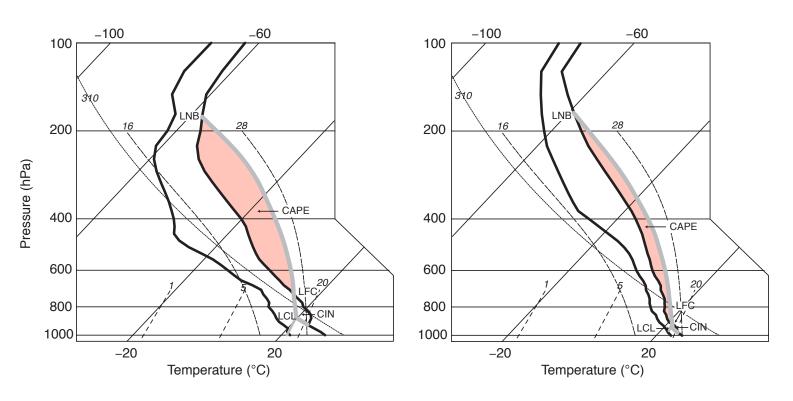


Hazardous Weather Testbed Spring Experiment 2015 Verification against ST4 precipitation analyses



24 h accumulations

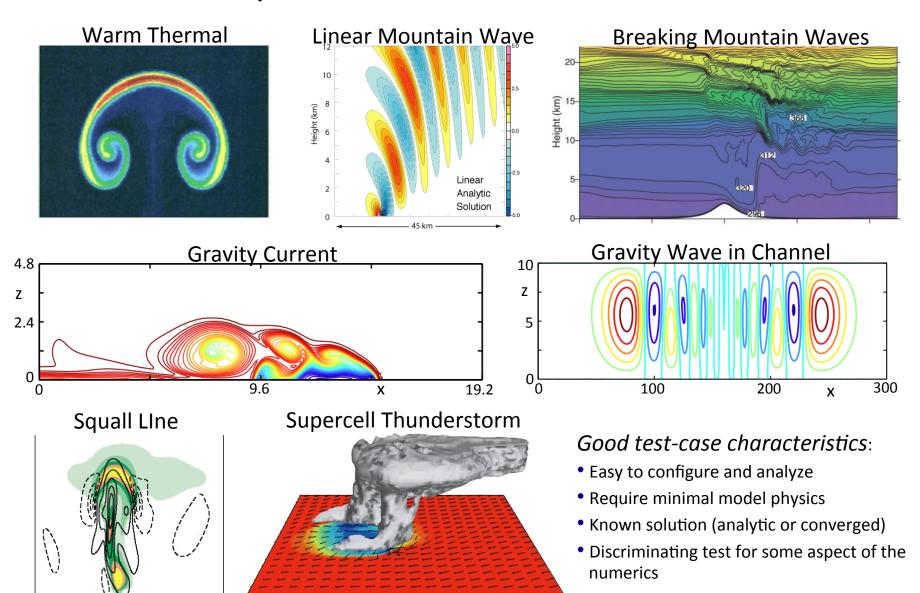
Midlatitude and Tropical Deep Convection



Skew T – log P diagrams for conditionally unstable (left) warm-season continental midlatitude and (right) oceanic tropical environments.

Tropical convection is more difficult to simulate than midlatitude convection

Nonhydrostatic Idealized Test Cases



Final comments:

Deep moist convection testing is critical for evaluating nonhydrostatic cores. Global convection-permitting simulations are costly.

Some alternatives:

Variable-resolution

Nesting

Limited-area version of global model

3D Cartesian plane version of the global model

2D (x,z) version of the global model DCMIP test cases are only a starting point for model testing.

