## Global WRF Development Bill Skamarock NCAR/MMM

### WRF Version 3, released 4 April 2008

Precipitable water, 10 day forecast 2007-07-12 to 2007-07-22, 50 km grid

Init: 2007-07-12\_12:00:00 Valid: 2007-07-12\_12:00:00





# WRF Global Model

#### Global WRF on a lat-long grid

- Adapted from community development at Cal Tech for planetary atmospheres
- Functional system for nested nonhydrostatic global simulations
- Baseline for future nonhydrostatic global model development



#### Mars at northern summer solstice (temperature and zonal wind)



GFDL MARS GCM Oxford Mars GCM

Global WRF

10 day precipitable water forecast, initialized 7-11-2007 12Z 810 x 405 x 41 (x,y,z), ~50 km grid at the equator, 200 second timestep



# Latitude-Longitude Grid WRF Version 3 Release

# Additions to WRF Version 2

- Map factors are generalized m<sub>x</sub> and m<sub>y</sub>
  - Computational grid poles need not be geographic poles.
  - Limited area and nesting capable.
- Upper gravity-wave absorbing layer
- Polar boundary conditions
- Polar filtering

## **Global WRF** 20 km, 5 day forecast, valid 00 UTC 8 August 2007



Precipitable water

# Accumulated precipitation



# Latitude-Longitude Grid



Computational poles placed close to the equator. Nest positioned over Antarctica. Land use category (color). 1 day global + 2-way nest forecast, valid 12 UTC 17 August 2006 (Michael Duda)





# Lat-Long WRFV3

Polar boundary condition (pole point).

Meridional velocity (v) is undefined at the poles.



# Lat-Long Grid Global WRF Lat-Long WRFV3

#### Polar boundary condition (pole point).



Zero meriodional flux at the poles (cell-face area is zero).

v(poles) only needed for meridional derivative of v near the poles (some approximation needed).

All other meriodional derivatives are well-defined near/at poles.

# **ARW Filters: Polar Filter**



Filter Coefficient a(k),  $\psi_0 = 45^\circ$ 



Converging gridlines severely limit timestep. The polar filter removes this limitation.

Filter procedure - Along a grid latitude circle:

- 1. Fourier transform variable.
- 2. Filter Fourier coefficients.
- 3. Transform back to physical space.

$$\hat{\phi}(k)_{filtered} = a(k)\,\hat{\phi}(k), \quad \text{for all } k$$
$$a(k) = \min\left[1., \max\left(0., \left(\frac{\cos\psi}{\cos\psi_o}\right)^2 \frac{1}{\sin^2(\pi k/n)}\right)\right]$$

k = dimensionless wavenumber

 $\hat{\phi}(k) =$  Fourier coefficients from forward transform

a(k) =filter coefficients

 $\psi =$ latitude  $\psi_o =$ polar filter latitude, filter when  $|\psi| > \psi_o$ 

## Time Integration in ARW

3<sup>rd</sup> Order Runge-Kutta time integration

advance  $\phi^t \rightarrow \phi^{t+\Delta t}$ 

$$\phi^* = \phi^t + \frac{\Delta t}{3} R(\phi^t)$$
  
$$\phi^{**} = \phi^t + \frac{\Delta t}{2} R(\phi^*)$$
  
$$\phi^{t+\Delta t} = \phi^t + \Delta t R(\phi^{**})$$

Amplification factor  $\phi_t = i k \phi$ ;  $\phi^{n+1} = A \phi^n$ ;  $|A| = 1 - \frac{(k\Delta t)^4}{24}$ 

## WRF ARW Model Integration Procedure

Begin time step



End time step

## WRF ARW Model Integration Procedure

#### Begin time step



End time step

## WRF ARW Model Integration Procedure

#### Begin time step



End time step

Timestep limited by minimum  $\Delta x$  outside of polar-filter region.

## Possible Grids for a New Global Solver



All spatial discretizations of the sphere have potential problems.

- Rectangular grids: special points, boundaries, region, solution/grid isotropy
- Other grids: accuracy and efficiency? special coding.

There is no clear obvious choice - significant development, analysis and evaluation is needed to identify a future nonhydrostatic, locally refining dynamical core.

# Summary

WRF Version 3 global latitude-longitude grid

- Adapted from community development at Cal Tech.
- Functional system for nested nonhydrostatic global simulations.
- Baseline for future nonhydrostatic global model development.

Early testing has revealed some significant biases and deficiencies.

• Evaluation, tuning, physics augmentation needed for weather and climate applications.

Development and Evaluation of new global solvers is underway to remove pole-problem and to get good performance and scaling on massively parallel computers.