

Objectively-Determined Fair-Weather NBL Features in the ARW-WRF Model and their Comparison to CASES-97 Observations^a

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With Acknowledgments to:

*Alberto Martilli (BouLac), Zavisla Janjic (MYJ), Esa-Matti Tastula (QNSE),
Joe Olsen (MYNN2), and Songyou Hong (YSU)*

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¹NCAR/MMM^b

²NCAR/RAL

DATA: CASES-97 Array (NSF/NCAR, Argonne National Labs ABLE)

PBL WIND PROFILES

At: Beaumont (BEA)
Whitewater (WHI)
Oxford (OXF)

Hourly (consensus):

Radar Wind Profilers (150 – 2000 m)

Minisodars (5 – 200 m)

90-minute samples

Radiosondes

SURFACE FLUXES, WINDS, etc

30-minute averages

Numbered sites

NIGHTS

4-5 May 1997

10-11 May 1997

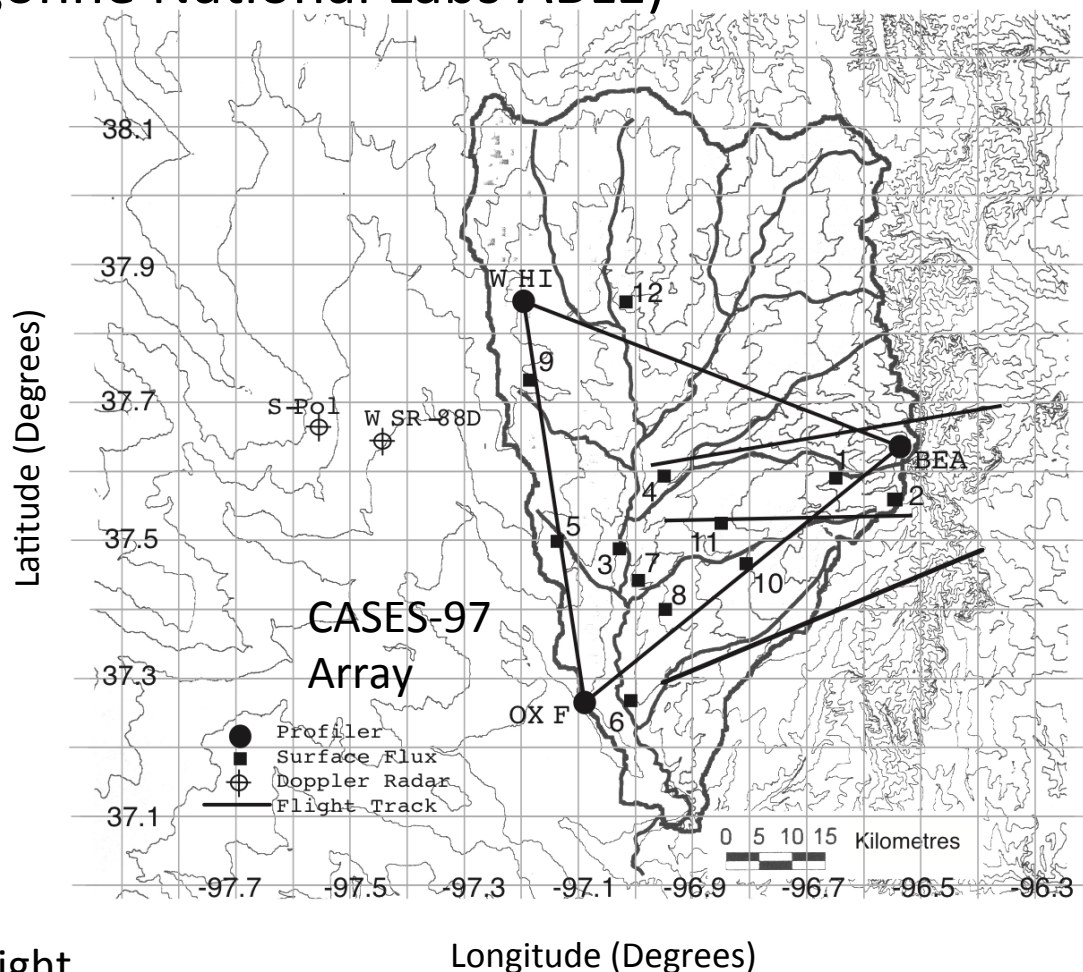
20-21 May 1997

Sample Size per night

RWP+Sodars: hourly → 12 samples (when working)

Model: hourly → 12 Samples

Radiosondes: 90 min → 6 samples (obs stop at 0930 UTC)



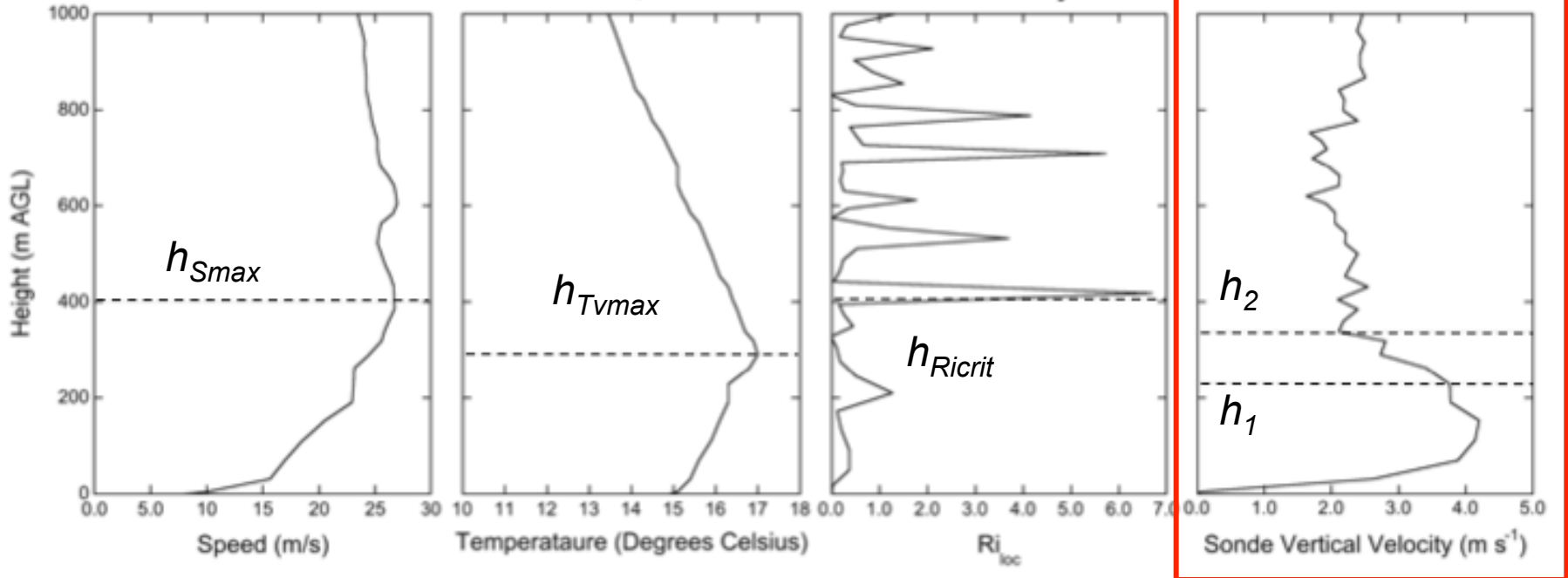
Weather for the three nights in the study (note: All have strong radiative cooling)

Night	48-m wind	Near-surface flow	Turbulence
4-5 May	7.8 – 14 m/s	Parallel to synoptic flow	Continuous
10-11 May	4.5 – 11.5 m/s	Some drainage flow, across synoptic flow	Intermittent; intermittent to continuous by 0930 UTC
20-21 May	4.3 – 7.6 m/s	Drainage forcing against synoptic wind direction → weak winds at Whitewater	Intermittent

References: Sun et al. 2012, Van de Wiel et al. 2012, LeMone et al. 2003.

Methods for Determining NBL Depth from Observed Soundings

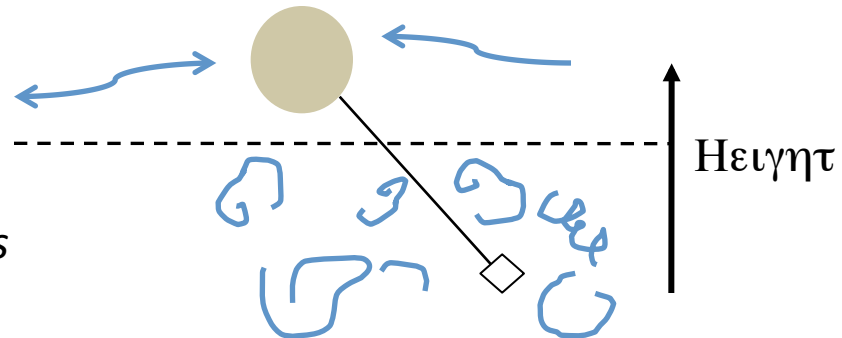
Beaumont, Kansas 0641 UTC 5 May 1997



Johansson and Bergstrom (2005, BLM)

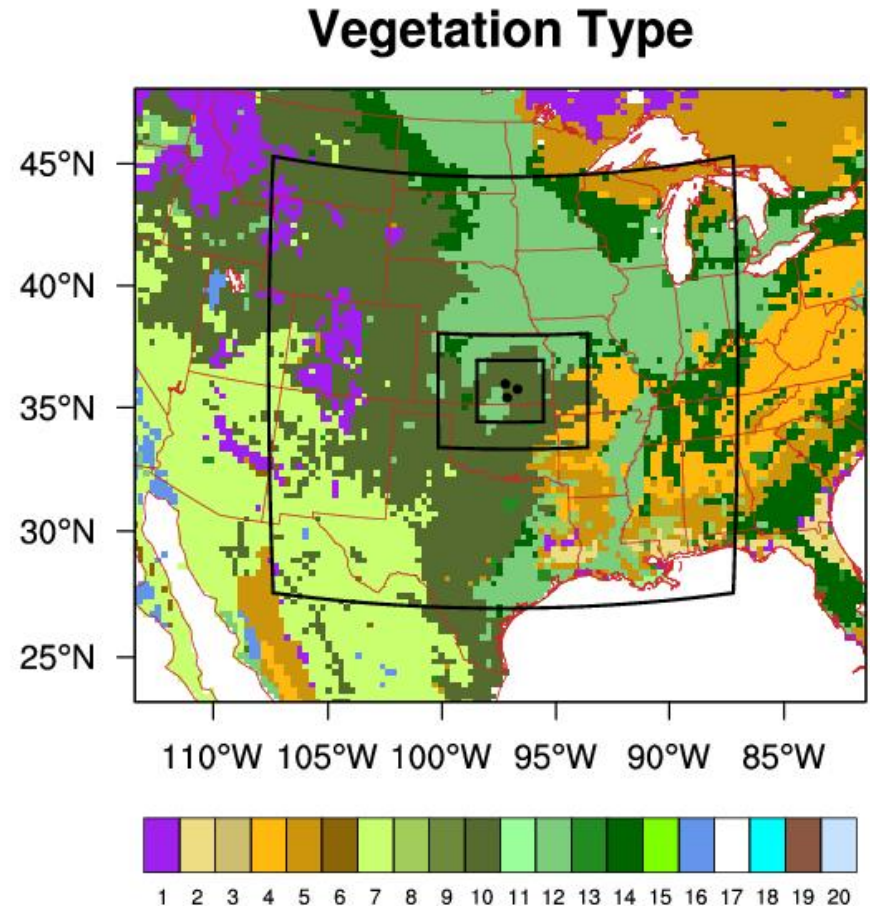
Laminar: ~3 m/s

Turbulent: ~5 m/s



The Model: Simulate days with WRFv3.2*

- Domains (27, 9, 3, 1km)
 - e_we = 127, 235, 229, 304,
 - e_sn = 107, 223, 175, 283,
- Landuse (MODIS, 20 Cats), modified z_0
- WRF Runs initialized with NARR data
- 24-h starting at 12 UTC (6 a.m. LST)
- Noah LSM
- PBL Schemes:
 - MYJ PBL
 - QNSE PBL
 - BouLac PBL
 - YSU PBL
 - MYNN2 (for this talk)
- Levels
 - 44 levels
 - 15 levels below 1 km
 - 21 levels below 2 km



*Except for YSU, for which we also ran v3.4.1.

PBL Schemes solve for changes due to turbulence flux divergence

$$\frac{\partial C}{\partial t} = -\frac{\partial(\overline{w'c'})}{\partial z} = \frac{\partial}{\partial z} \left(K_c \frac{\partial C}{\partial z} \right)$$

For schemes that solve the TKE (e) equation (BouLac, MYJ, MYNN, QNSE)

$$K_C = S_C L_{mix} e^{0.5}$$

For YSU

$$K = w_s k z \left(1 - \frac{z}{h_{NBL}} \right)^2$$

Other things that change;

-- $Pr_t = K_M/K_H$

-- surface-layer formulation

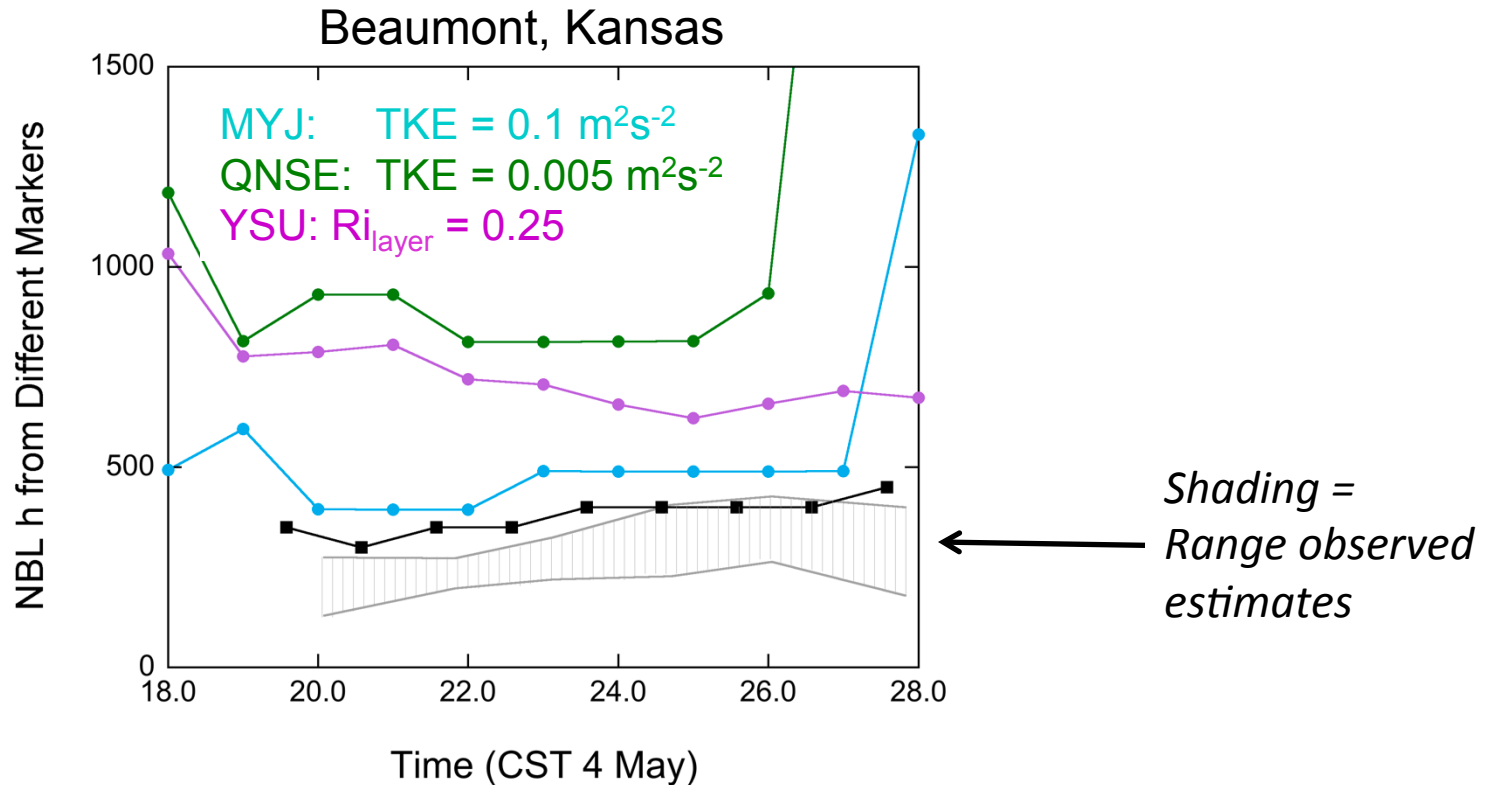
$$w_s = u_*$$

v 3.2

$$w_s = u_* / (1 + 5z / L)$$

v 3.4.1

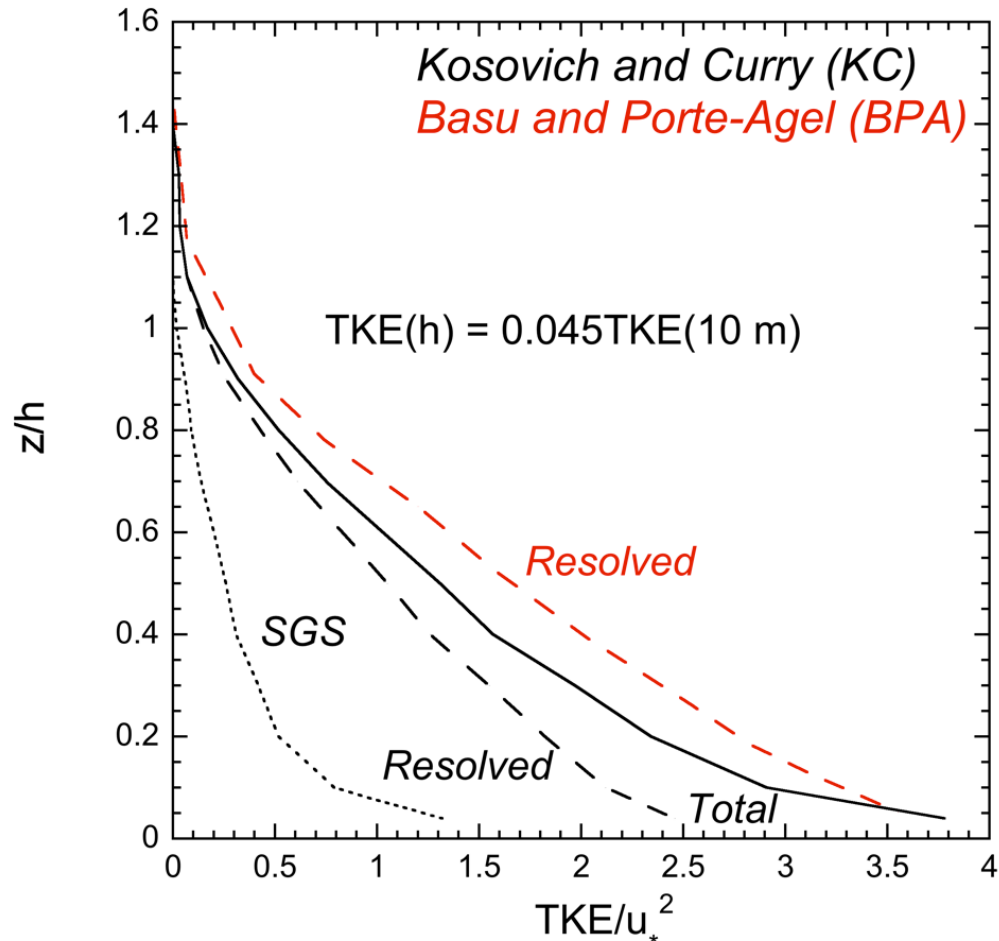
NBL in WRF Simulations: “Official” Depths use different criteria



Need for “universal” criterion

Since turbulence and K profiles drop off at roughly same height as TKE, TKE is used to determine subjective NBL depth from simulations for TKE schemes; K for YSU

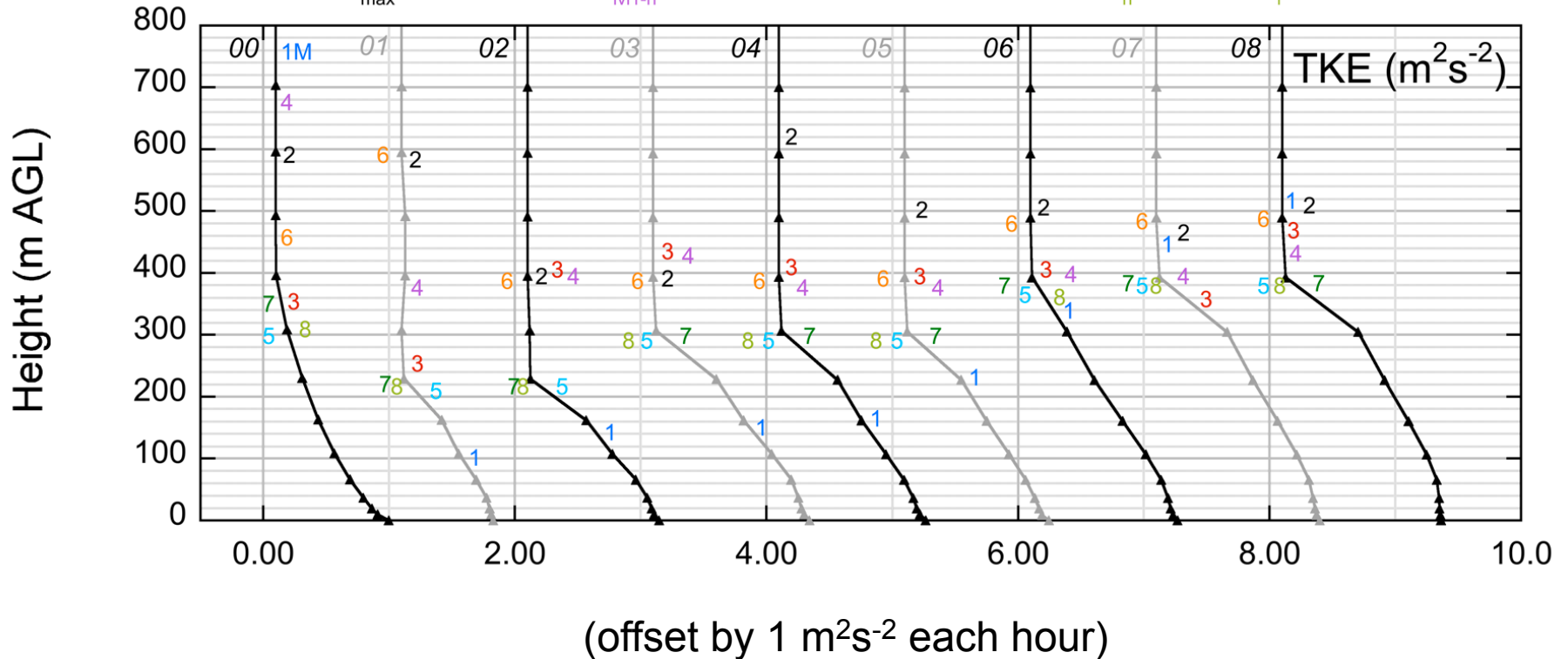
*Profiles at right for
near neutral NBL
($L \sim 100$ m)
at equilibrium*



Evaluation of criteria for model profiles– uses TKE profiles as truth

Stable Comparison of various PBLH criteria -- MYJ for BEA 4-5 My 1997

- | | | | |
|--|------------------------|------------------|--------------------------------------|
| 1. $\Theta_{v,z} = 10 \text{ K km}^{-1}$ | 3. $Ri_{loc} = 0.50$ | 5. $TKE = 0.20$ | 7. $TKE_h = 0.05(TKE_1 - 0.1) + 0.1$ |
| 2. S_{max} | 4. $Ri_{lv1-h} = 0.20$ | 6. $TKE = 0.101$ | 8. $TKE_h = 0.05(TKE_1 - 0.1) + 0.1$ |



Results: (1) TKE excess as fraction of TKE maximum most reliable (use 5%)

NOTE: For MYJ must subtract 0.1 m²s⁻² first

(2) max T_v and Speed work only after several hours

(3) No Ri works reliably (Ri for “good” h varies with time)

Evaluation of criteria for model profiles– uses TKE profiles as truth

Stable Comparison of various PBLH criteria -- MYJ for BEA 4-5 My 1997

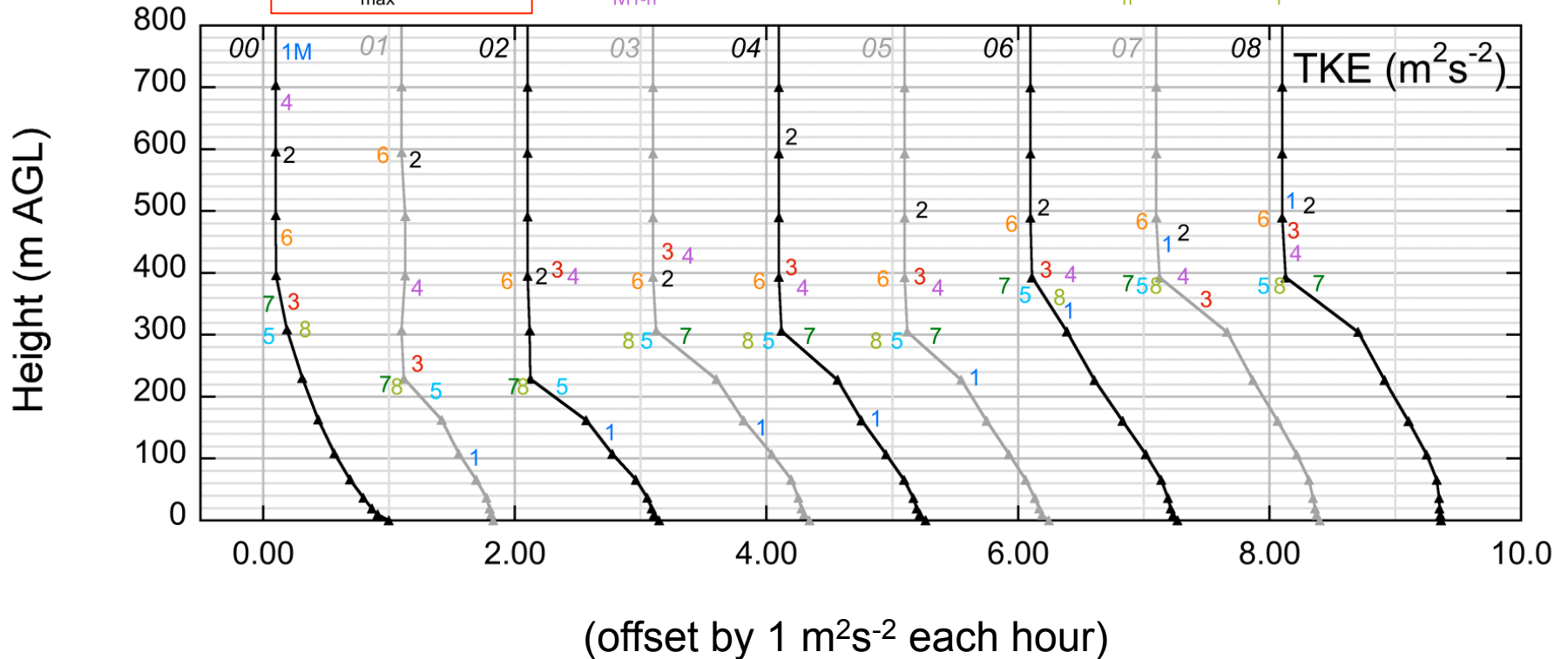
1. $\Theta_{v,z} = 10 \text{ K km}^{-1}$
2. $S_{\max}$

3. $Ri_{\text{loc}} = 0.50$
4. $Ri_{\text{M1-h}} = 0.20$

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Observations:
Composite PBL behavior
for evaluation of models:
“convergence”

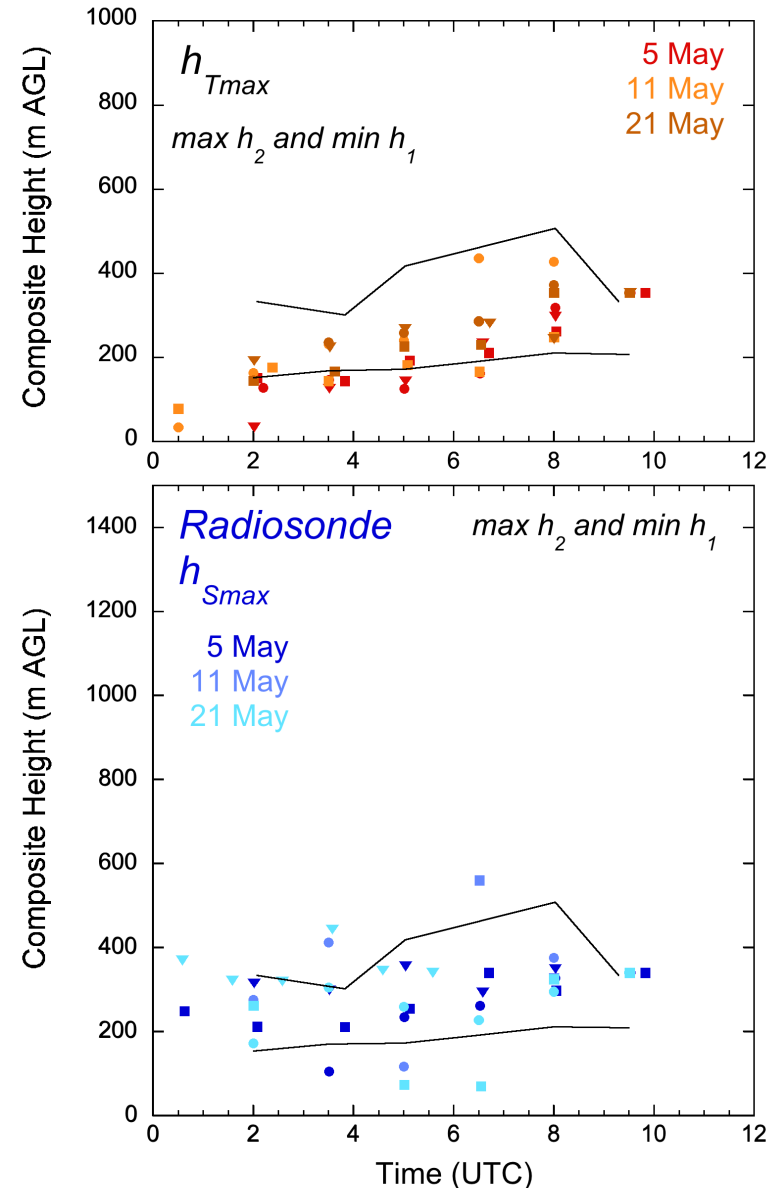
Steps:

1. Take 0930 UTC value
2. Divide earlier heights by value
3. Average 0930 UTC values for all days
4. Multiply normalized values by average

Note:

1. All three are close at 0930

Normalized/Redimensionalized Heights Extrema



Model

“Convergence” Behavior” – closest to observations

Two “Pathologies” (windy nights)

“Collapse” of height of max T_v

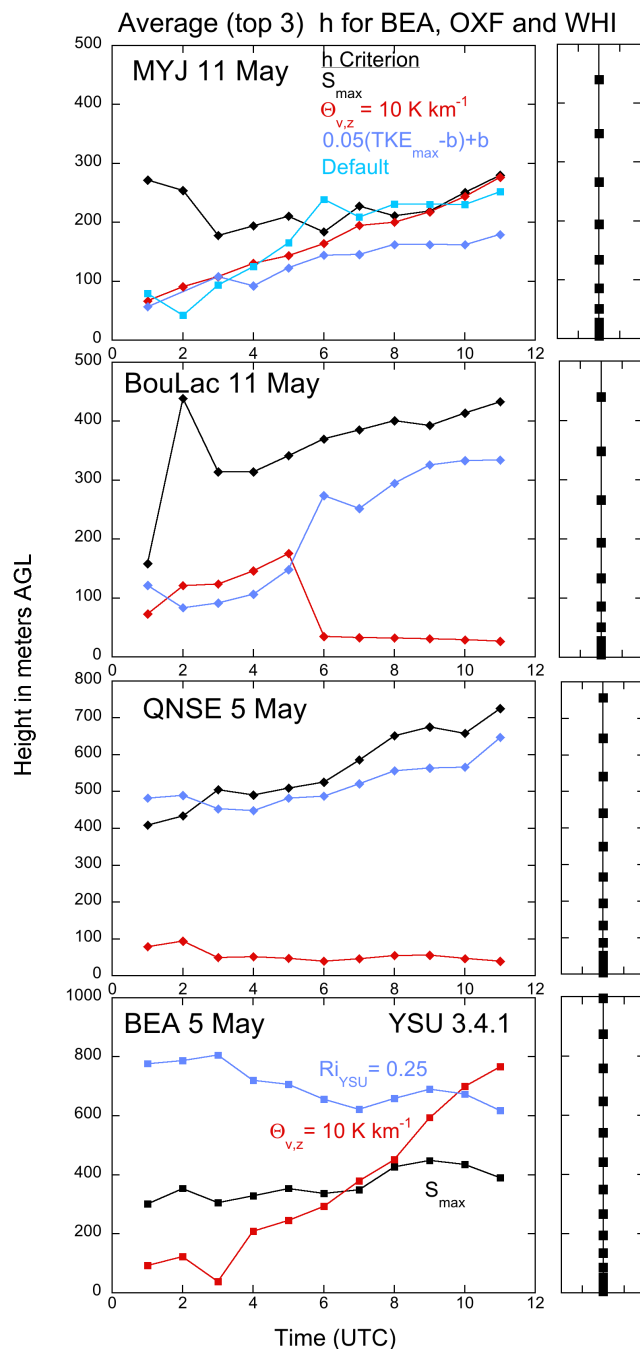
PBL SCHEME Frequency

YSU 3.2:	67%
BouLac:	55%
QNSE:	33 %
YSU 3.4.1:	8 %
MYJ	7 %

“Too High” height of max T_v

PBL SCHEME Frequency

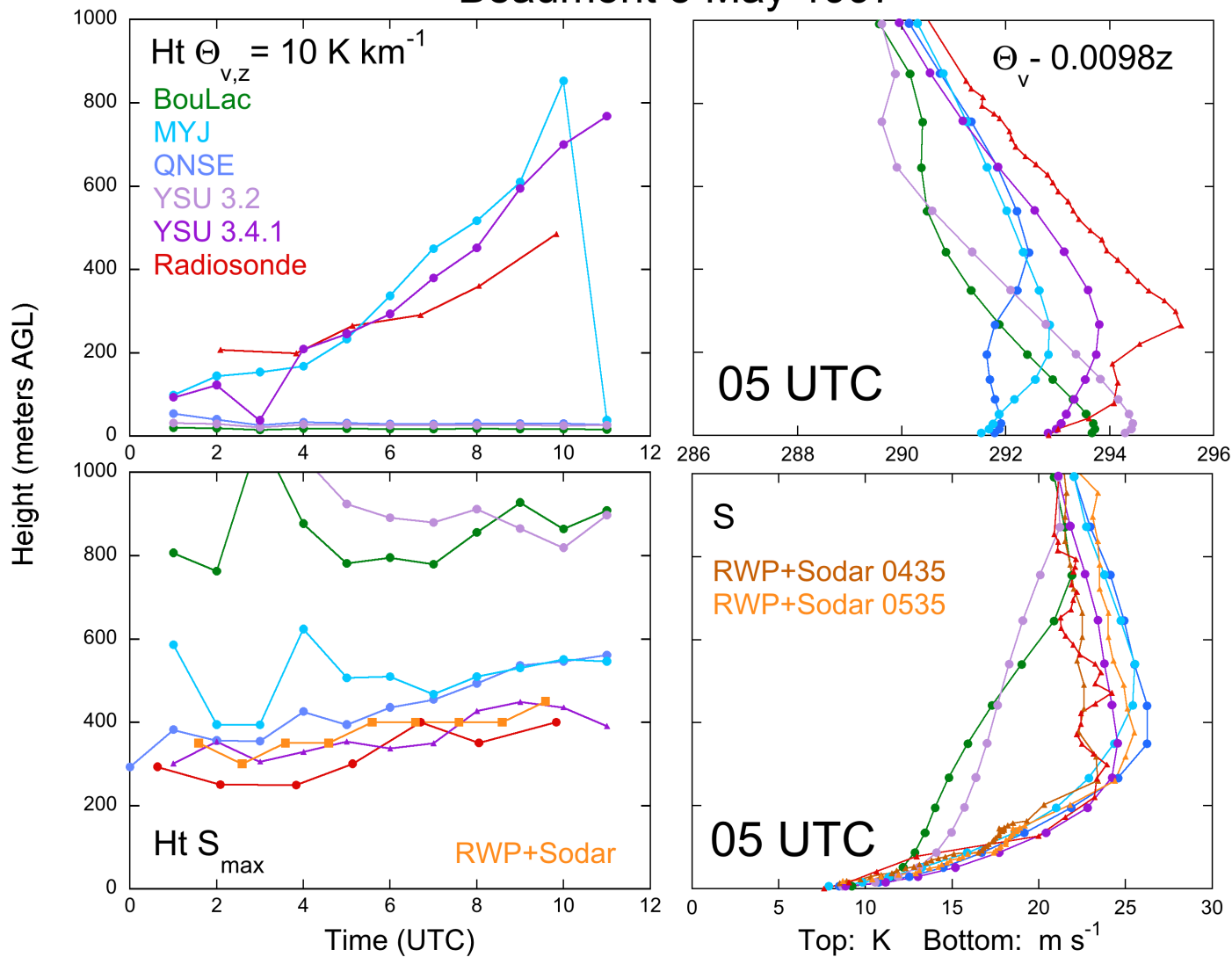
YSU 3.4.1	7%
MYJ	4 %



BouLac and
YSU 3.2:
Too much
Mixing

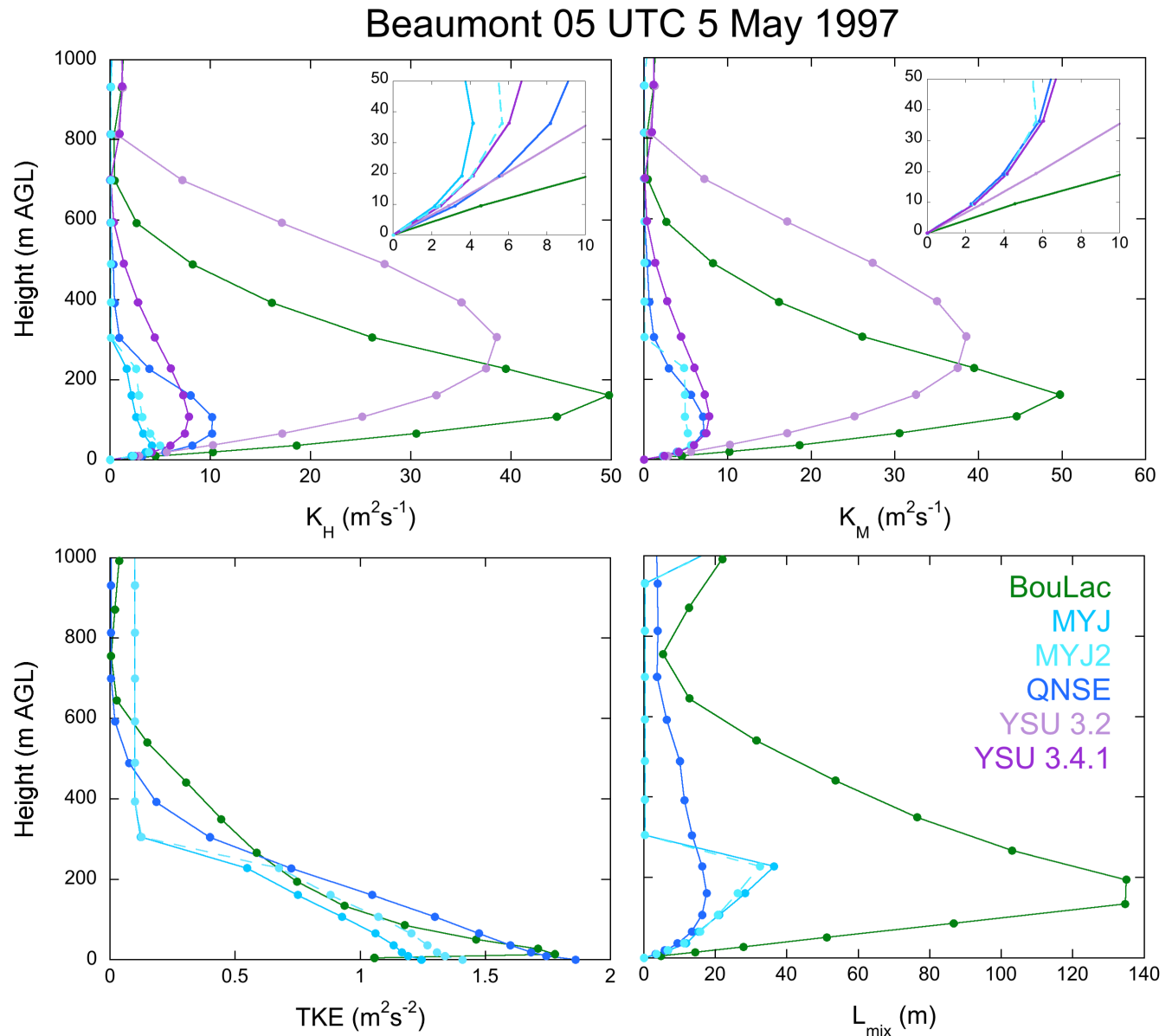
QNSE:
Too much
Mixing – but
For T_v only

Beaumont 5 May 1997



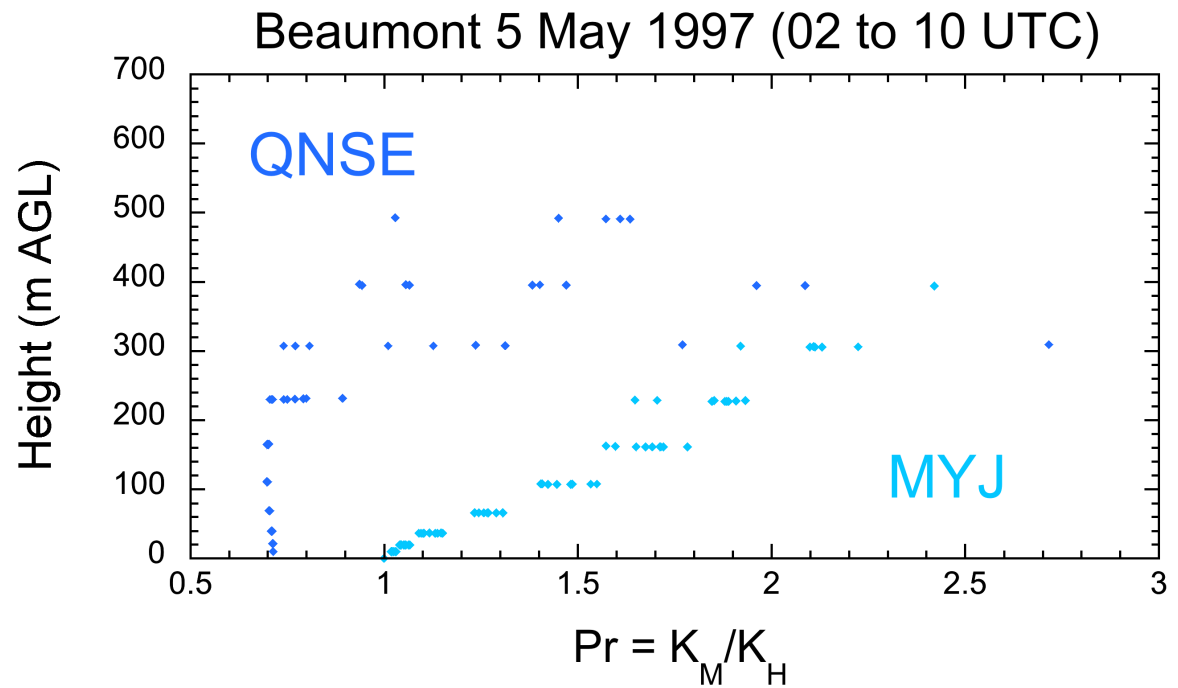
BouLac and
YSU 3.2:
Too much
Mixing: Big K

QNSE:
Too much
Mixing – Big K_H
But O.K. K_M

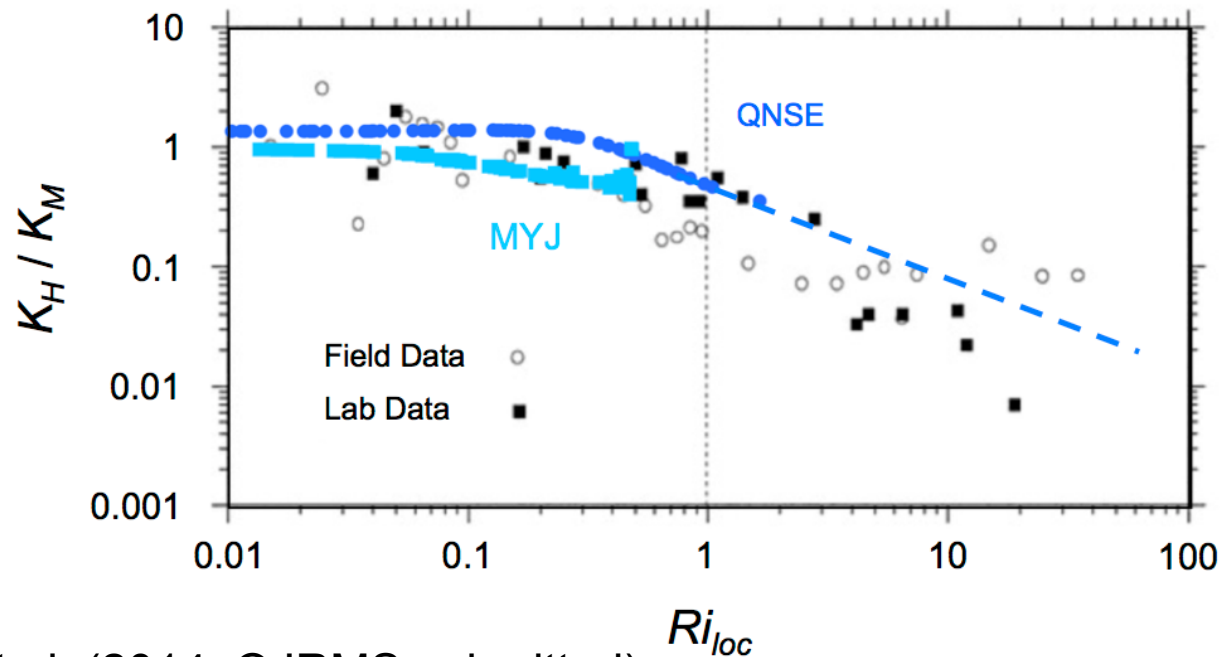


Link to
Prandtl
number?

$$(K_M / K_H)$$



data superimposed
on plot from
Monti et al.
(2002, JAS), see also
Sukoriansky et al. (2006.
Nonlin. Proc. Geophys.)



Not just Pr -- Tastula et al. (2014, QJRMS submitted)

NBL “Collapse”?

when observations suggest otherwise...

From MYJ output value h_{MYJ}
(due to small TKE), yet

h from TKE'_{max} criterion look
good except for 08 UTC
QNSE

Max T_v and S heights look
good except for BouLac

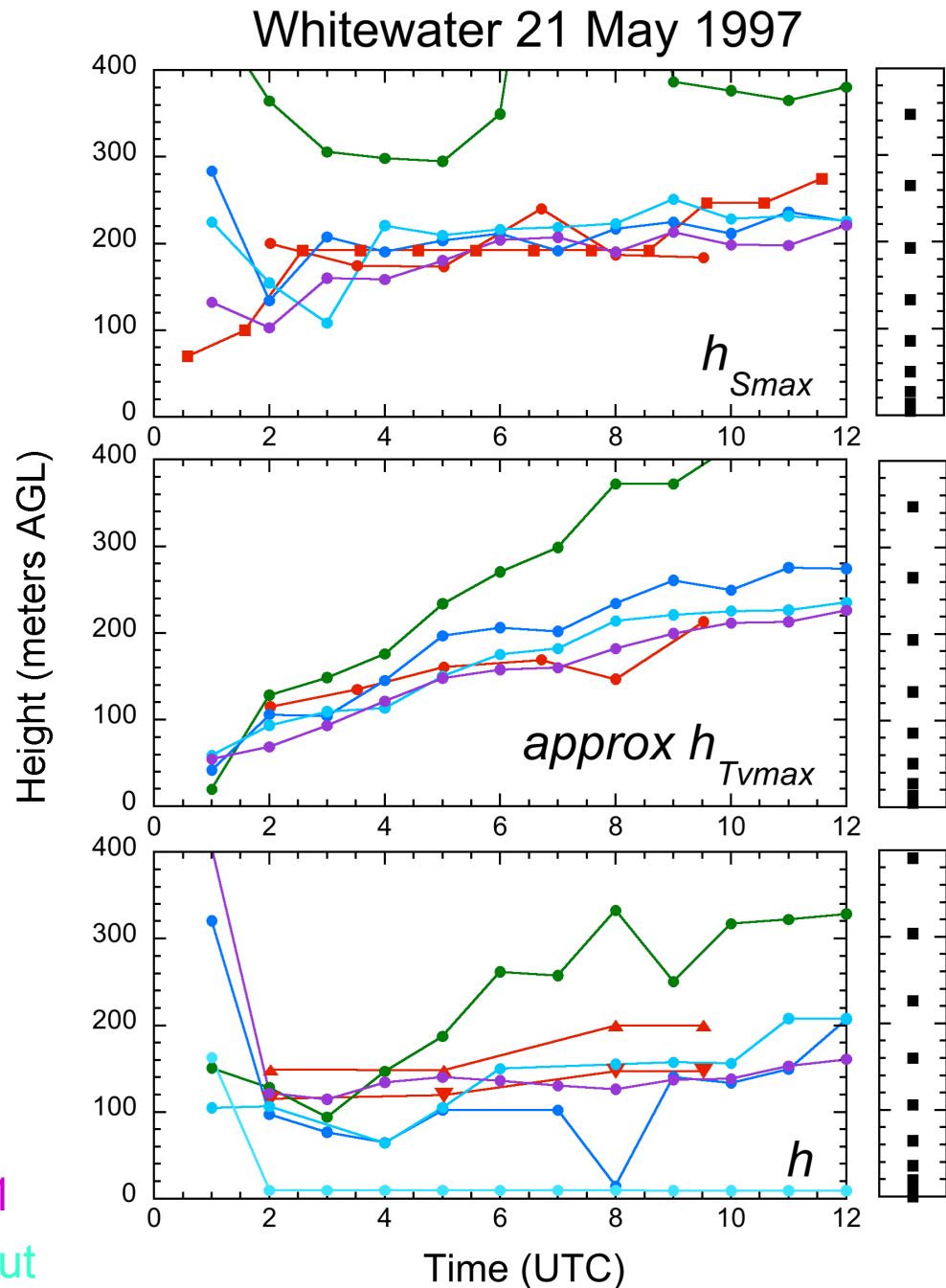
BouLac

MYJ

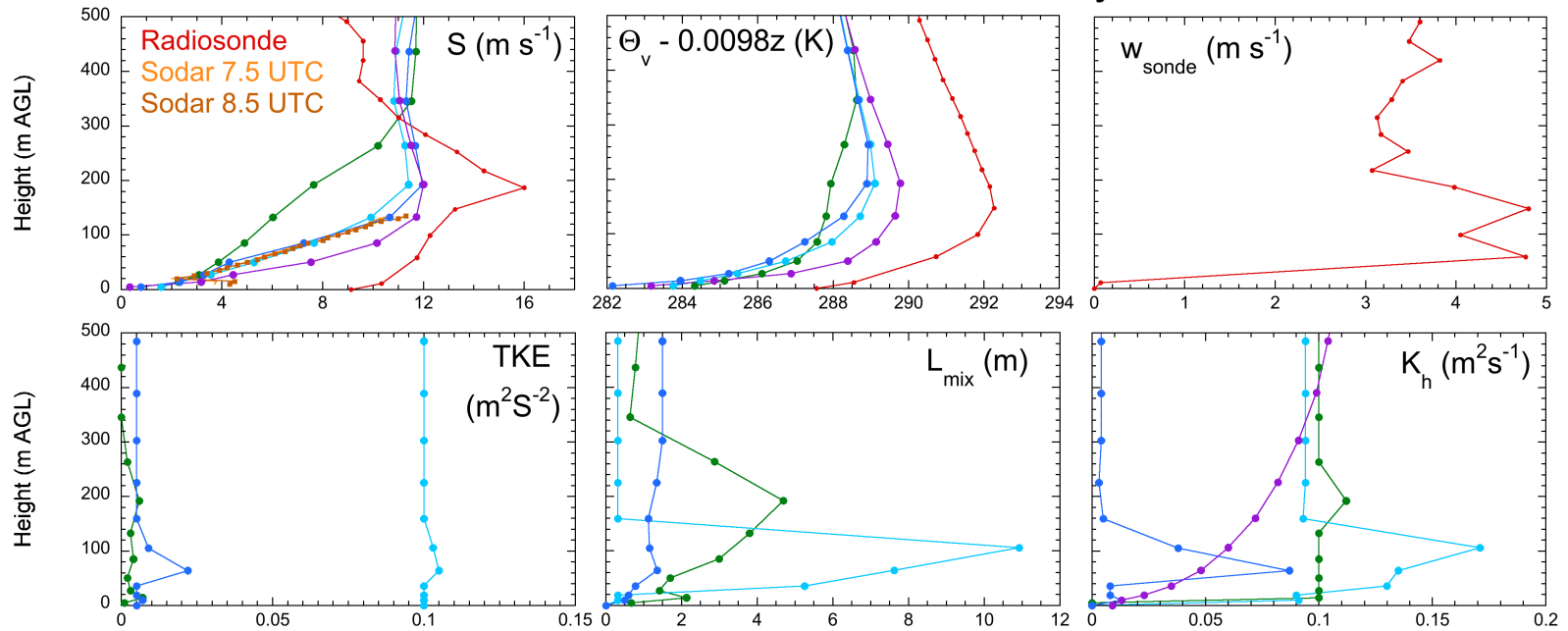
QNSE

YSU 3.4.1

MYJ output



Whitewater – 08 UTC 21 May 1997



Heights of maxima in T_v and S not bad

Well-defined NBL top (above surface) from balloon rise rate, but tiny modeled TKE

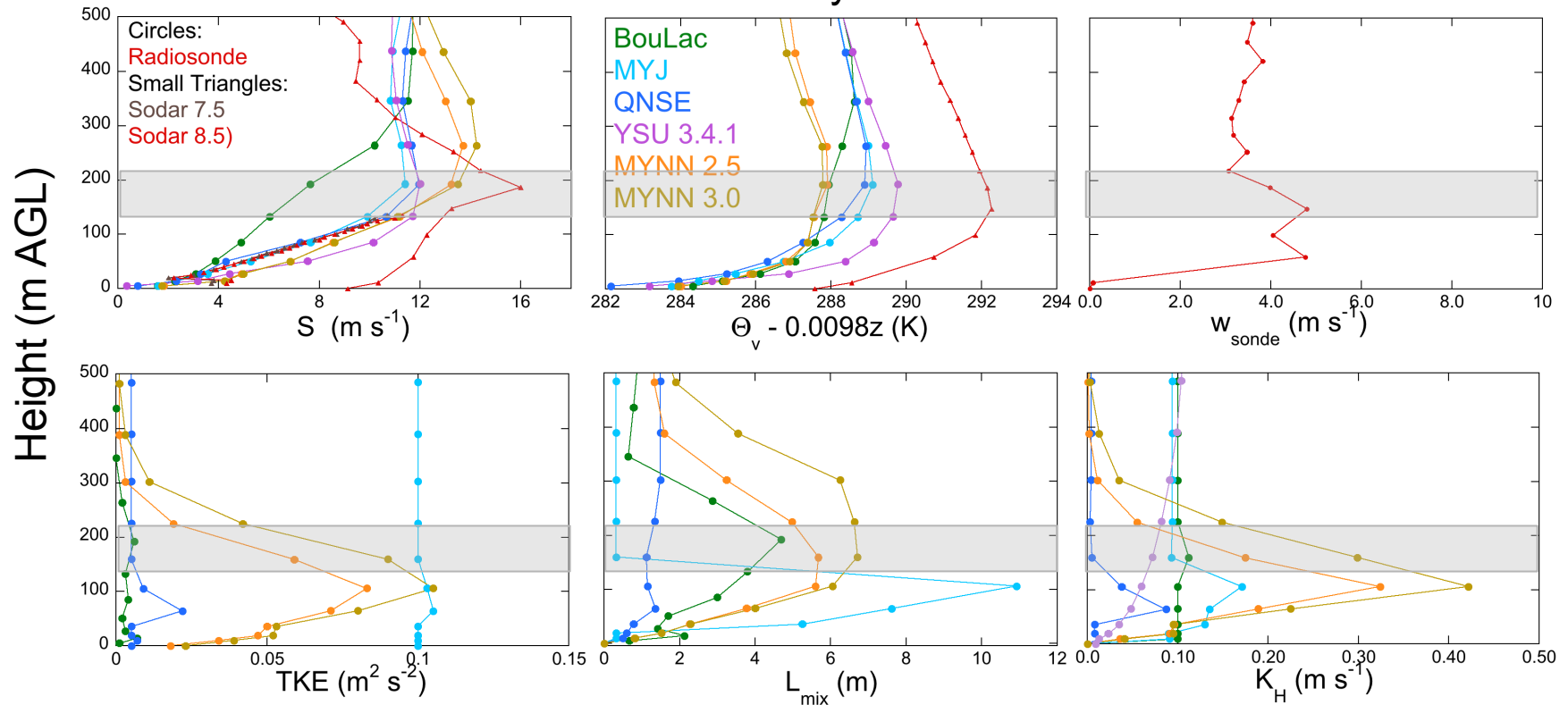
Why?

- Guess 1: Larger TKE upstream advected (not in schemes)
- Guess 2: TKE equation inadequate here

More complete turbulence equations (MYNN2.5, MYNN3) → larger TKE
(also deeper, but by 1 grid point)

970521_08&TC_WHI
ml 140619

Whitewater 21 May 1997 08 UTC



Conclusions

Turbulence parameters best indicate PBL depth (we use TKE).

This ambiguous if there is turbulence above NBL.

Max S and T_v “work” only once both coincide with TKE criterion, in the early morning.
(Parallel with time taken for NBL LES to reach equilibrium)

Comparisons:

MYJ perform best of four schemes compared

For YSU 3.2 and BouLac, too much mixing → height max T_v too low

For QNSE, too much thermal mixing → height max T_v too low,

Tastula et al., QJRMS, submitted) confirm role Pr but L_{mix} , TKE, $S_{H,M}$ important.
NBL depth and PBL profiles of S and T_v for most stable night surprisingly good
though TKE looked too small.

Need better turbulence equations? Horizontal advection TKE?

Careful examination of small (but detailed) sample enables insights into model behavior

Schemes work well despite large discrepancy in ustar

-- Profiles consistent

-- S at 10 m (S_{10}) close (model average average 3% lower than obs)

WHY?

Assume S_{10M} (Model) = S_{100} (Observations)

Assume neutral

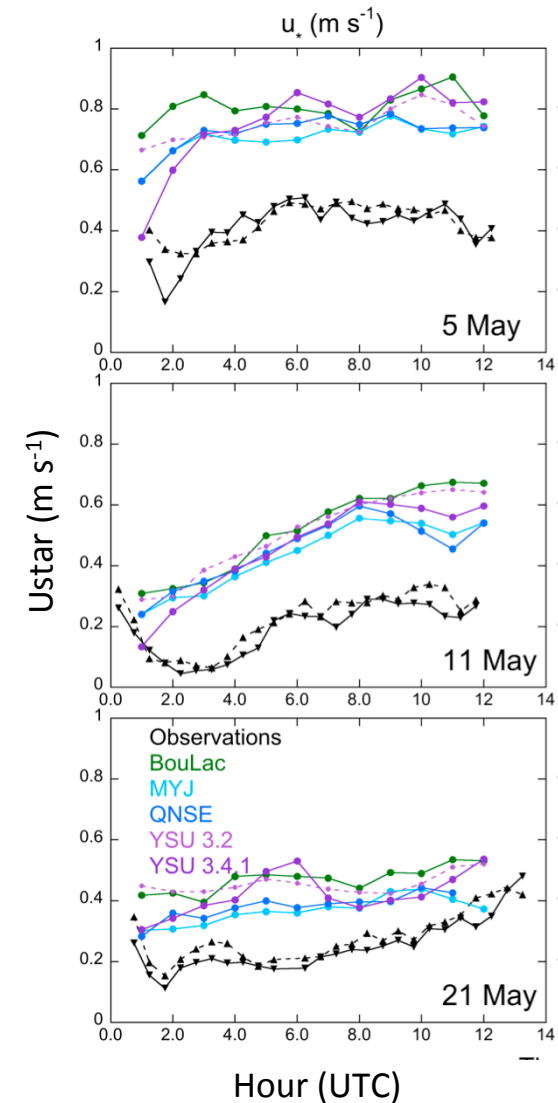
Use ratio of ustars = 1.5 for 5 May (L = 400 m model, 100 m obs)

$$S_{10} = \frac{u_{*M}}{k} \ln \frac{10}{z_{0M}} = 1.5 \frac{u_*}{k} \ln \frac{10}{z_{0M}} = \frac{u_*}{k} \ln \frac{10}{z_{0O}}$$

Rearranging,

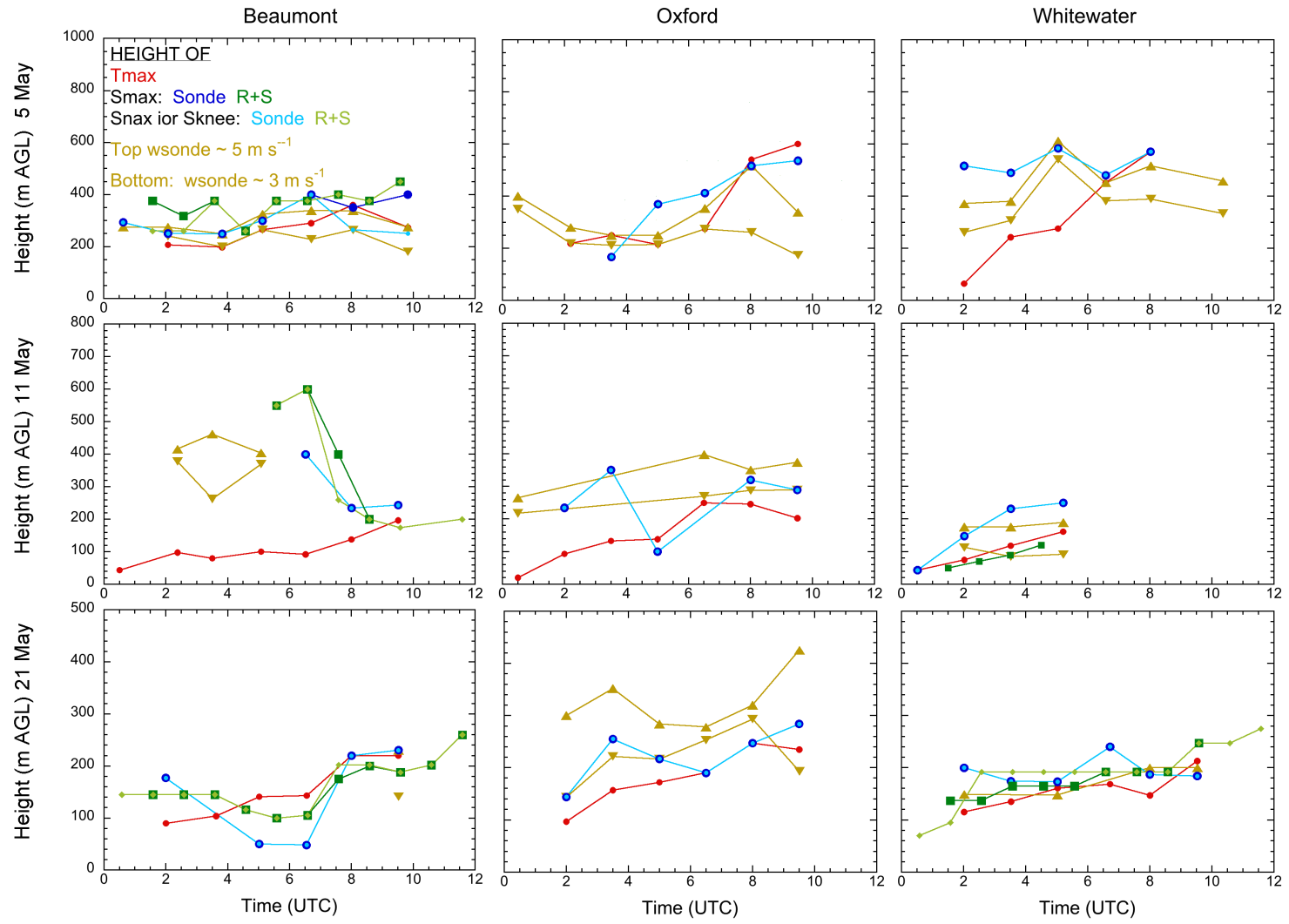
$$\ln z_{0O} = 1.5(\ln z_{0M} - \ln 10) + \ln 10$$

$z_{0O} = 0.0035$ m, close to estimated values (0.006 and 0.002 for Sites 1 and 2) using observations.



Observations

Potential Indicators of NBL Depth -- CASES-97 Observations



PBL Schemes for changes due to turbulence flux divergence

Scheme	Basic Physics for stable conditions	NBL depth
BouLac (Level 1.5)	Solve for TKE (or e) $K_H = K_M = K_E = 0.4 L_{mix} e^{0.5}$, <i>Big L_{mix} !</i> L_{mix} vertical travel distance traveled with initial vertical velocity = $(2e)^{0.5}$	Not for NBL
MYJ (level 2.5)	Solves for e , θ'^2 $(K_{H,M} = L_{mix} e^{0.5} S_{H,M}(L_{mix}, e, U_z, V_z, \Theta_z)$ <i>Complicated!</i> $\frac{1}{L_{mix}} = \frac{1}{L_T} + \frac{1}{kz}, L_T = \alpha \int_0^{h_{nbl}} qz dz / \int_0^{h_{nbl}} q dz, q = (2e)^{0.5}$ L_{mix} adjusted if necessary to satisfy an equation for L_{mix}/q	Lowest level at which $e = 0.1$
MYNN2 (level 2.5 or 3)	Solves for e Adds buoyancy effects of pressure fluctuations for Level 2.5 version, flux and variance for level 3 Advection of TKE $K_{H,M}$ as in MYJ but $S_{H,M}$ changed $\frac{1}{L_{mix}} - \frac{1}{L_S} + \frac{1}{L_T} + \frac{1}{L_B}$ where L_S modifies kz for stability; $L_B = q/N$, L_T as in MYJ except for α value	Lowest level for which TKE falls to $0.025 * TKE_{max}$ for $TKE > 0.025 \text{ m}^2 \text{ s}^{-2}$,
QNSE (level 2.5)	TKE equation similar to MYJ (solved differently) (a) $\frac{1}{L_{mix}} - \frac{1}{kz} + \frac{1}{\lambda} + \frac{1}{.75e^{0.5} N^{-1}}$ (b) $K_{H,M} = 0.55 \alpha_{H,M}(Ri)$, α from spectral model, $\lambda = 0.0063 u_* / f$.	Lowest level at which $e = 0.005$
YSU	(a) $K_{M,H} = k w_s z (1 - z/h)^2$ v3.2: $w_s = u_*$ v3.4.1: $w_s = u_* / (1 + 4.7z/L)$ (b) $\frac{1}{L_{mix}} - \frac{1}{kz} + \frac{1}{\lambda}$ $\lambda = 30 \text{ m}$	$Ri_{crit} = 0.25$ (interpolated), with wind at $ v = 0$